

TOPIC TRAINING CODE CHECK COLD-FORMED STEEL PROFILES

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Introduction

The members are checked according to the regulations given in:

Eurocode 3 Design of steel structures Part 1 - 3: Supplementary rules for cold-formed members and sheeting

EN 1993-1-3:2006 Corrigendum EN 1993-1-3:2006/AC:2009

Eurocode 3 Design of steel structures Part 1 - 5: Plated Structural elements EN 1993-1-5:2006

Corrigendum EN 1993-1-5:2006/AC: 2009.

The explained rules are valid for SCIA Engineer 18.0

The examples are marked by > Example

Materials and Combinations

Steel grades

The characteristic values of the material properties are based on EN 1993-1-3 - Table 3.1

Type of steel	Standard	Grade	fyb N/mm ²	$f_{\rm u}$ N/mm ²
Hot rolled products of non-alloy	EN 10025: Part 2	S 235	235	360
structural steels. Part 2: Technical delivery conditions for non alloy		S 275	275	430
structural steels		S 355	355	510
Hot-rolled products of structural steels.	EN 10025: Part 3	S 275 N	275	370
Part 3: Technical delivery conditions for normalized/normalized rolled weldable		S 355 N	355	470
fine grain structural steels		S 420 N	420	520
		S 460 N	460	550
		S 275 NL	275	370
		S 355 NL	355	470
		S 420 NL	420	520
		S 460 NL	460	550
Hot-rolled products of structural steels.	EN 10025: Part 4	S 275 M	275	360
Part 4: Technical delivery conditions for thermomechanical rolled weldable fine grain structural steels		S 355 M	355	450
		S 420 M	420	500
		S 460 M	460	530
		S 275 ML	275	360
		S 355 ML	355	450
		S 420 ML	420	500
		S 460 ML	460	530

Table 3.1a: Nominal values of basic yield strength $f_{\rm yb}$ and ultimate tensile strength $f_{\rm u}$

Type of steel	values of basic yield stro Standard	Grade	fyb N/mm ²	f _u N/mm ²
				-
Cold reduced steel sheet of structural quality	ISO 4997	CR 220	220	300
quanty		CR 250	250	330
		CR 320	320	400
Continuous hot dip zinc coated carbon	EN 10326	S220GD+Z	220	300
steel sheet of structural quality		S250GD+Z	250	330
		S280GD+Z	280	360
		S320GD+Z	320	390
		S350GD+Z	350	420
Hot-rolled flat products made of high	EN 10149: Part 2	S 315 MC	315	390
yield strength steels for cold forming. Part 2: Delivery conditions for		S 355 MC	355	430
thermomechanically rolled steels		S 420 MC	420	480
-		S 460 MC	460	520
		S 500 MC	500	550
		S 550 MC	550	600
		S 600 MC	600	650
		S 650 MC	650	700
		S 700 MC	700	750
	EN 10149: Part 3	S 260 NC	260	370
		S 315 NC	315	430
		S 355 NC	355	470
		S 420 NC	420	530
Cold-rolled flat products made of high	EN 10268	H240LA	240	340
yield strength micro-alloyed steels for	EN 10208	H280LA	280	370
cold forming		H320LA	320	400
			360	430
		H360LA		
		H400LA	400	460
Continuously hot-dip coated strip and sheet of steels with higher yield strength	EN 10292	H260LAD	240 2)	340 2)
for cold forming		H300LAD	280 2)	370 2)
		H340LAD	320 2)	400 2)
		H380LAD	360 2)	430 2)
		H420LAD	400 2)	460 2)
Continuously hot-dipped zinc-aluminium	EN 10326	S220GD+ZA	220	300
(ZA) coated steel strip and sheet		S250GD+ZA	250	330
		S280GD+ZA	280	360
		S320GD+ZA	320	390
		S350GD+ZA	350	420
Continuously hot-dipped aluminium-zinc	EN 10326	S220GD+AZ	220	300
(AZ) coated steel strip and sheet		S250GD+AZ	250	330
		S280GD+AZ	280	360
		S320GD+AZ	320	390
		S350GD+AZ	350	420
Continuously hot-dipped zinc coated	EN 10327	DX51D+Z	140 1)	2701)
strip and sheet of mild steel for cold			-	270 1)
forming		DX52D+Z	140 1)	2/011

Table 3.1b:	Nominal values	of basic vield	l strength f _{vb}	, and ultimate t	ensile strength f _u

Materials			
🔎 🤃 💋 👬 📽 🖳 🗠 😂 🎽 🖨	Steel		•
S 420 MC	^	Name	S220GD+ZA
S 460 MC		Code independent	
S 500 MC		Material type	Steel
S 550 MC		Thermal expansion [m/mK]	0,00
S 600 MC		Unit mass [kg/m^3]	7850,0
S 650 MC		E modulus [MPa]	2,1000e+05
\$ 700 MC		Poisson coeff.	0,3
S 260 NC		Independent G modulus	
S 315 NC		G modulus [MPa]	8.0769e+04
S 355 NC S 420 NC		Log. decrement (non-uniform d	
H240LA		Colour	0,15
H280LA			0.00
H320LA		Thermal expansion (for fire resis	
H360LA		Specific heat [J/gK]	6,000e-01
H400LA		Thermal conductivity [W/mK]	4,5000e+01
H260LAD		4 Material behaviour for no	
H300LAD		Material behaviour	Elastic
H340LAD		4 EC3	
H380LAD		Ultimate strength [MPa]	300,0
H420LAD		Yield strength [MPa]	220,0
S220GD+ZA		Thickness range	
\$250GD+ZA			
S280GD+ZA			
S320GD+ZA			
S350GD+ZA			
S220GD+AZ			
S250GD+AZ			
S280GD+AZ			
S320GD+AZ			
\$350GD+AZ	×		
New Insert Edit Delete			OK

In SCIA Engineer, the following materials are provided by default:

Average yield strength

When EC3 is selected and cold formed sections are used, the average yield strength f_{ya} can be used (by setting the proper data flag in the Cross Section input dialog). The average yield strength is determined as follows (Formula (3.1) of EN 1993-1-3)

$$\mathbf{f}_{ya} = \mathbf{f}_{yb} + \left(\frac{\mathbf{knt}^2}{\mathbf{A}_g}\right) \left(\mathbf{f}_u - \mathbf{f}_{yb}\right) \le \left(\frac{\mathbf{f}_u + \mathbf{f}_{yb}}{2}\right)$$

 \mathbf{f}_{yb}

fu

k

with

the tensile yield strength = f_y the tensile ultimate strength

- t the material thickness
- Ag the gross cross-sectional area
 - is a coefficient depending on the type of forming :
 - k = 7 for cold rolling
 - k = 5 for other methods of forming
- n the number of 90° bends in the section

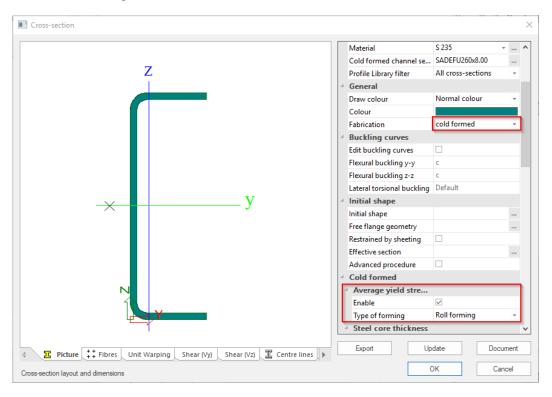
The average yield strength may not be used if A_{eff} does not equal the gross area A_g (so not for class 4 profiles).

Example - AverageYieldStrength.esa

Manual calculation:

-	CS1 : HE1000X393 – S235
-	A = 50020 mm ²
-	tf=43.9 mm > 40 mm \rightarrow fy = 215 N/mm ²
-	EC3 Check : $N_{c,Rd} = \frac{A \cdot f_y}{\gamma_{M0}}$ (eq. 6.10 of EN 1993-1-1)
	NRd = 50020 x 215 / 1.00 = 10754,3 kN
	U.C. = 500/10754,3 = 0,05
-	CS2 : SADEFU260x8.00 – S235 – Cold formed
-	A= 3330mm ²
-	n=2
-	fya = 235 + (7x2x8²) / 3330 x (360-235) = 235 + 33,6 = 268,6 N/mm²
-	fya=min(268,77; (360+235)/2.0)=min(268,77;,297,5)=268,77 N/mm ²
-	EC3 Check : $N_{c,Rd} = A_g \cdot (f_{yb} + (f_{ya} - f_{yb}) \cdot 4 \cdot (1 - \frac{\overline{\lambda_e}}{\overline{\lambda_{e0}}}))/\gamma_{M0}$ (Aeff = Ag \rightarrow eq. 6.3 of EN1993-1-3)
	NRd = 3330 x (235+(268,6-235) x 4 x (1-0,55/0,67)) / 1,00 = 866,34 kN
	U.C. = 500/866,34 = 0,58

In SCIA Engineer:



Material		
Yield strength fy	235,0	MPa
Average yield strength fy,a	268,6	MPa
k	7	
n	2	
Ultimate strength fu	360,0	MPa
Fabrication	cold formed	

Axial Compression Check

According to article EN 1993-1-3: 6.1.3 and formula (6.3)

Ag Load case.	3,3296e+03	mm ²
Aer Coordinate	3,3296e+03	mm ²
Critical Element	3Global	
Element Type	plane	
λe	0,55	
λeo	0,67	
Nc,Rd	866,34	kN
Unity check	0,58	-

Note

The average yield strength is calculated using the gross section A_q of the initial shape.

In SCIA Engineer the average yield strength is applied in the following resistance calculations:

- Axial Tension
- Axial Compression
- Bending Moment
- Torsional moment
- Flexural buckling
- Torsional (-Flexural) Buckling
- Purlin design Cross-section resistance

Steel core thickness

Thickness tolerances

The provisions for design by calculation given in the part 1-3 of EN 1993 may be used for steel within a given ranges of core thickness t_{cor} .

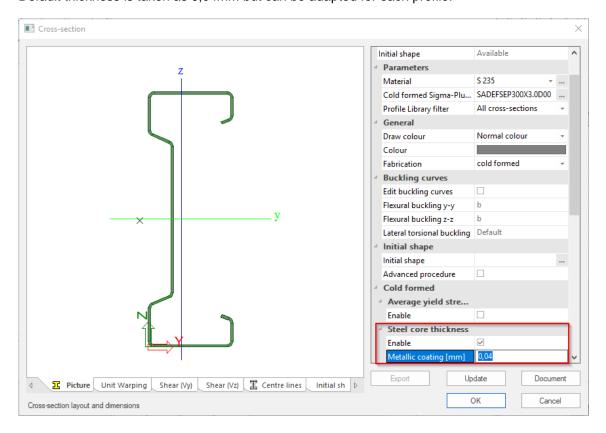
The default value in the EN 1993, article 3.2.4 is: 0,45mm $\leq t_{cor} \leq 15$ mm But this can be adapted in the National Annex.

In SCIA Engineer this default value is also taken as default but can be adapted in the National Annex parameters:

EC-EN	Name	EC-EN
🖮 Steel	4 Steel	
		EN 1993-1-1
Cold Formed	Fire resistance	EN 1993-1-2
Member check Fire resistance	Cold Formed	EN 1993-1-3
	P Member check EN 1993-1-1 P Fire resistance EN 1993-1-2	
	⊿ Gamma M0	
	Value [-]	1,0
	4 Gamma M1	
	Value [-] 1,0 4 Gamma M2 Value [-] 1,3	
Value [-] 1,0 ✓ Gamma M2		
		EN 1993-1-3: 3.2.4(1)
	 ✓ Gamma M1 Value [-] ✓ Gamma M2 Value [-] Value [-] 1,3 ✓ Member Steel Core Thickness ✓ Kinimal ✓ Value [mm] 0 ✓ Maximal ✓ Value [mm] 15 	0
	Plated structural elements	EN 1993-1-5

Thickness coating

In SCIA Engineer the user can choose to take the coating-thickness into account in the steel core thickness. This can be activated or deactivated in the cross-section menu. Default thickness is taken as 0,04mm but can be adapted for each profile.



Combinations

In SCIA Engineer, both the SLS and ULS combinations can be set according to the code rules for EC-EN 1990. In this setup, partial safety factors and Psi factors can be set.

	Combination		
	(STR/GEO) alternative	EN 1990: 6.4.3.2 (3)	
	4 Combination		
Combination setup	Values	Eq.6.10	
Psi factors	✓ Buildings		
	4 Combination setup		
Combination setup	4 Category H loading not to be combined with sn		
Road bridges	Value	✓ yes	
	4 Psi factors	EN 1990: Annex A1 Table A1.1	OK Car
⇒ Psi factors	Psi factors		
Road bridges	4 Load combination factors		
	4 Fundamental combination (STR/GEO) Set B	EN 1990: Annex A1 Table A1.2(B)	
□ Load combination factors	4 Permanent action - unfavorable		
Road bridges	Value	1,35	
	4 Permanent action - favorable		
Reliability class	Value	1,00	
	4 Leading variable action		
-EN - Combination - (STR/GEO) alternative - Buildings - Combination setup - Psi factors - Load combination factors - Bridges - Combination setup - Road bridges - Road bridges	Value	1,50	
	tive Combination Setup Values Combination setup Ges Category H loading not to be combined with sn Value Category H loading not to be combined with sn Value Category H loading not to be combined with sn Value Category H loading not to be combined with sn Value Setup Set		
	Value	1,50	
 Buildings Combination setup Psi factors Bridges Combination setup Road bridges Footbridges Road bridges Footbridges Bridges South States Psi factors Road bridges Footbridges Railway bridges Railway bridges 	4 Reduction factor ksi		
	Value	0,85	
	4 Fundamental combination (STR/GEO) Set C	EN 1990: Annex A1 Table A1.2(C)	
	4 Permanent action - unfavorable		
	Value	1,00	
	4 Permanent action - favorable		
	Value	1,00	

Following EC-EN 1990:2002 the ULS combinations can be expressed in two ways.

- Using Equation 6.10 $\sum_{j\geq 1} \gamma_{G,j} G_{k,j} + \gamma_P P + \gamma_{Q,1} Q_{k,1} + \sum_{i>1} \gamma_{Q,i} \psi_{0,i} Q_{k,i}$ - Using Equations 6.10a and 6.10b $\sum_{j \geq 1} \gamma_{G,j} G_{k,j} + \gamma_P P + \gamma_{Q,1} \psi_{0,1} Q_{k,1} + \sum_{j \geq 1} \gamma_{Q,i} \psi_{0,i} Q_{k,i}$

$$\sum_{j\geq 1}^{j\geq 1} \xi_{j} \gamma_{G,j} G_{k,j} + \gamma_{P} P + \gamma_{Q,1} Q_{k,1} + \sum_{i>1}^{i>1} \gamma_{Q,i} \psi_{0,i} Q_{k,i}$$

Both methods have been implemented in SCIA Engineer. The method which needs to be applied will be specified in the National Annex.

Example

Consider a simple building subjected to an unfavorable permanent load, a Category A
Imposed load and a Wind load.
This example is calculated using **Set B**.for unfavorable permanent actions $\gamma_G = 1,35$
for the leading variable action $\gamma_{Q,1} = 1,50$
for the non-leading variable actions $\gamma_{Q,i} = 1,50$ ψ_0 for Wind loads equals 0,6

ψo f	or an Imposed Load Category A equals 0,7
Red	uction factor for unfavourable permanent actions $\xi = 0,85$
Usir	ng equation 6.10:
\rightarrow C	Combination 1: 1,35 Permanent + 1,5 Imposed + 0,9 Wind
\rightarrow C	Combination 2: 1,35 Permanent + 1,05 Imposed + 1,5 Wind
Usir	ng equations 6.10a and 6.10b:
$\rightarrow C$	Combination 1: 1,35 Permanent + 1,05 Imposed + 0,9 Wind
$\rightarrow C$	Combination 2: 1,15 Permanent + 1,5 Imposed + 0,9 Wind
\rightarrow C	Combination 3: 1,15 Permanent + 1,05 Imposed + 1,5 Wind

Local and distortional buckling

Initial shape

For a cross-section defined as cold formed, the Initial Shape must be defined. This initial shape is supported for the following cross-section types:

- Standard profile library cross-sections
- General thin-walled sections
- General sections with thin-walled representation
- Thin-walled geometric sections
- All other sections which support the centreline and do not have roundings
- Cold formed Pair cross-sections of profile library sections

The inputted types of parts are used further for determining the classification and reduction factors. The thin-walled cross-section parts can have for the following types:

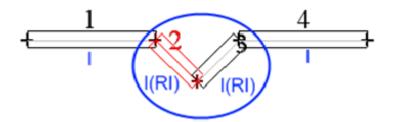
F	Fixed Part – No reduction is needed
1	Internal cross-section part
SO	Symmetrical Outstand
UO	Unsymmetrical Outstand

A part of the cross-section can also be considered as reinforcement:

None	Not considered as reinforcement
RI	Reinforced Internal (intermediate stiffener)
RUO	Reinforced Unsymmetrical Outstand (edge stiffener)
DEF	Double Edge Fold (edge stiffener)

ROU and **DEF** reinforcement types can be set only to elements of type **SO** or **UO**. **RI** types can be set only to elements of type **I** or **UO** or **SO**.

In case a part is specified as reinforcement, a reinforcement ID can be inputted. For general cross-sections neighbouring elements of type **RI** are seen as one stiffener for the calculation of the stiffener area and inertia:



Note

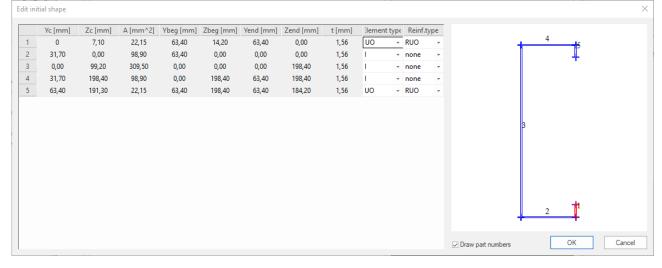
For all cold formed cross-section types, the initial shape is generated automatically. Only for the user created General cross-sections, the user has to manually insert the correct cross-section part types.

Example – WS CFS 02.esa

Yc [mm]	Zc [mm]	A [mm^2]	Ybeg [mm]	Zbeg [mm]	Yend [mm]	Zend [mm]	t [mm]	Element type	Reinf.type		_	
0	8,88	19,09	64,22	15,00	64,22	2,76	1,56	UO	RUO	6	7	
31,84	100,66	4,85	64,22	2,76	62,24	0,78	1,56	F	none		Ţ	
32,50	0,78	92,79	2,76	0,78	62,24	0,78	1,56	1	none			
33,16	100,66	4,85	0,78	2,76	2,76	0,78	1,56	F	none			
0,78	100,00	303,39	0,78	2,76	0,78	197,24	1,56	1	none			
33,16	99,34	4,85	0,78	197,24	2,76	199,22	1,56	F	none			
32,50	199,22	92,79	2,76	199,22	62,24	199,22	1,56	1	none			
31,84	99,34	4,85	62,24	199,22	64,22	197,24	1,56	F	none	5		
64,22	191,12	19,09	64,22	197,24	64,22	185,00	1,56	UO	RUO			
											3	

Initial shape - Cross-section CS1 (Cold formed C section from Library)

Initial shape – Cross-section CS2 (general cross section):

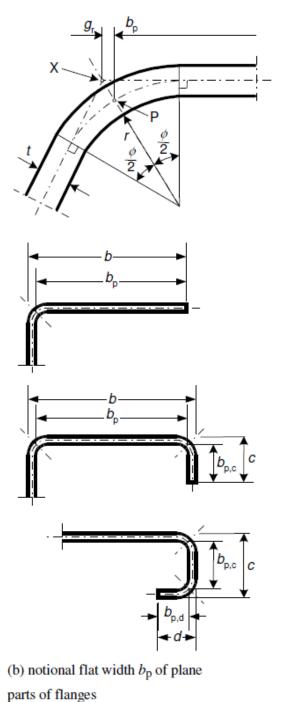


Effective shape

Influence of rounded corners

In cross-sections with rounded corners, the notional flat widths b_p of the plane elements should be measured from the midpoints of the adjacent corner elements as indicated in figure 5.1 EN 1993-1-3 "Notional widths of plane cross sections parts b_p ".

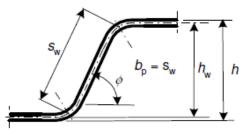
This principle is implemented in SCIA Engineer.



- (a) midpoint of corner or bend
- X is intersection of midlines
- P is midpoint of corner

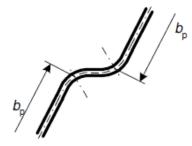
 $r_{\rm m} = r + t/2$

$$g_{\rm r} = r_{\rm m} \left(\tan(\frac{\phi}{2}) - \sin(\frac{\phi}{2}) \right)$$

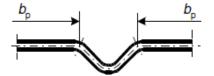


(c) notional flat width bp for a web

 $(b_p = \text{slant height } s_w)$



(d) notional flat width b_p of plane parts adjacent to web stiffener



(e) notional flat width b_p of flat parts adjacent to flange stiffener

Figure 5.1: Notional widths of plane cross section parts b_p allowing for corner radii

Article 5.1(3) of EN 1993-1-3 gives an alternative procedure to calculate the influence of rounded corners, but this approximate procedure is not supported in SCIA Engineer. SCIA Engineer will always calculate the influence with the exact procedure.

Geometrical proportions

The geometrical proportions are checked according to EN 1993-1-3 article 5.2(1) Table 5.1 "Maximum with-to-thickness ratios":

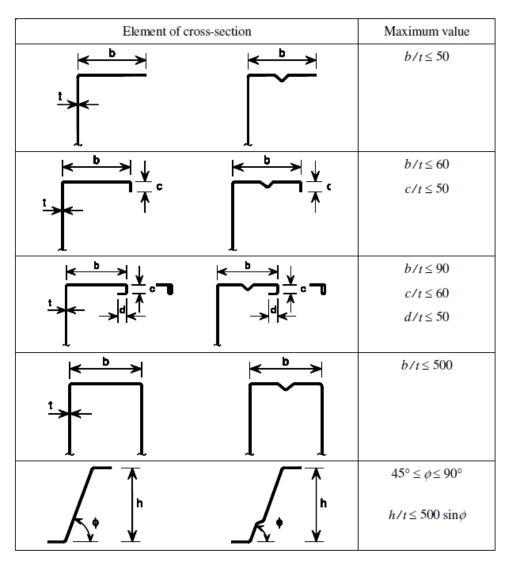


Table 5.1: Maximum width-to-thickness ratios

The limits for edge stiffeners (c) and double edge folds (d) are checked in case the correct stiffener type (**RUO** or **DEF**) has been set in the initial shape.

Also the limit ratios given in EN 1993-1-3 article 5.2(2) are checked.

 $0,2 \le c/b \le 0,6$

 $0,1~\leq d/b \leq 0,3$

In article 5.2(2) is set that if c/b < 0.2 or d/b < 0.1 the lip should be ignored, but in SCIA Engineer lip dimensions c and d are however always accounted for and will not be ignored.

In addition the limit for the internal radius given in EN 1993-1-3 article 5.1(6) is checked: Where the internal radius r > 0,04 t E / f_y then the resistance of the cross-sections should be determined by tests.

Note

If the maximum value for the width-to-thickness ratios is exceeded, EN 1993-1-3 described that the steel cold formed checks still can be executed if the limit states are verified by an appropriate number of tests.

If this maximum value is exceeded in SCIA Engineer, the program will give a warning message in the preview window, but will perform the check following EN 1993-1-3.

Example –	WS CFS 07.esa
-----------	---------------

Warning message if c/b exceeds the maximum value:

EC-EN 1993 Steel check ULS

Linear calculation Load case: LC1 Coordinate system: Principal Extreme 1D: Member Selection: All

EN 1993-1-3 Cold Formed Code Check National annex: Standard EN

Member B1	0,000 / 3,000 m	Cold formed C section (200; 80; 2; 6; 80)	S280GD+ZA	LC1	0,53 -
Y _{M1} for resistant	ce of cross-sections	1,00 1,00 1,25			
Warning: Cross-S Material	Section dimensions r	atio is outside the limit:	0.2 <= c/b <= 0.	6 (Art.	5.2(2)).
Yield strengthf Ultimate streng Fabrication		MPa MPa			

General procedure for one element

By default EN 1993-1-3 specifies that the stress **f** ($\sigma_{com,Ed}$) to be used for the effective section calculation should be taken as f_{ν}/γ_{M0} .

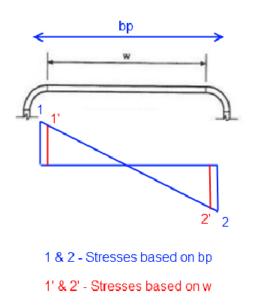
The reduction of an element is in general given by: $b_{eff} = \rho * b$

With

b _{eff}	effective width
ρ	reduction factor
b	full width

Step 1:

For the given stress **f** the normal stress over the rectangular plate element of the initial geometrical shape is calculated. These stresses are calculated based on the nominal width \mathbf{b}_{p} .



 σ_{beg} : normal stress at start point of rectangular shape – compression stress is positive σ_{end} : normal stress at end point of rectangular shape – compression stress is positive

If the rectangular shape is completely under tension, i.e. σ_{beg} and σ_{end} are both tensile stresses, no reduction is needed, p = 1.0

Step 2: Determine f1 and f2:

In case
$$|\sigma_{beg}| \ge |\sigma_{end}|$$

 $f_1 = \sigma_{beg}$
 $f_2 = \sigma_{end}$
In case $|\sigma_{beg}| < |\sigma_{end}|$
 $f_1 = \sigma_{end}$
 $f_2 = \sigma_{beg}$

<u>Step 3</u>: Calculate the stress gradient ψ :

$$\psi = f_2/f_1$$

Step 4:

If $\psi = 1$ the element is under uniform compression, else the element is under stress gradient.

Depending on the stress gradient and the element type, the effective width can be calculated as specified in the following paragraphs.

Internal Compression Elements

The effective width of internal compression elements is calculated according to EN 1993-1-5 **article 4.4** and **Table 4.1**.

This applies to elements of type I. The notional width b_p is used as \overline{b} .

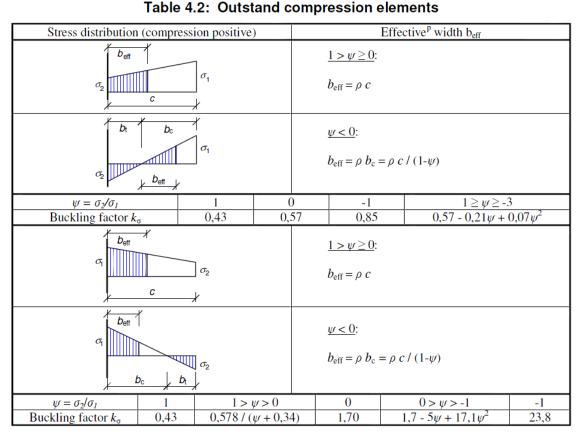
Stress distribution (compression positive)	Effective ^p width b _{eff}
σ_1	$\underline{\psi} = \underline{1}$:
b_{e1} b_{e2}	$b_{\rm eff} = \rho \ \overline{b}$
	$b_{\rm e1} = 0.5 \ b_{\rm eff}$ $b_{\rm e2} = 0.5 \ b_{\rm eff}$
σ	$\underline{1 > \psi \ge 0}:$
$\frac{b_{e1}}{b} = \frac{b_{e2}}{b}$	$b_{\rm eff} = \rho \ \overline{b}$
	$b_{e1} = \frac{2}{5 - \psi} b_{eff}$ $b_{e2} = b_{eff} - b_{e1}$
<u>x bc x b</u>	$\underline{\psi} < 0$:
σ_1 σ_2 σ_2	$b_{\rm eff} = \rho \ b_c = \rho \ \overline{b/} (1-\psi)$
	$b_{\rm e1} = 0.4 \ b_{\rm eff}$ $b_{\rm e2} = 0.6 \ b_{\rm eff}$
$\psi = \sigma_2 / \sigma_1 \qquad 1 \qquad 1 > \psi > 0 \qquad 0$	$0 > \psi > -1 \qquad -1 \qquad -1 > \psi > -3$
Buckling factor k_{σ} 4,0 8,2 / (1,05 + ψ) 7,81	$7,81 - 6,29\psi + 9,78\psi^2 \qquad 23,9 \qquad 5,98(1 - \psi)^2$

Table 4.1: Internal compression elements

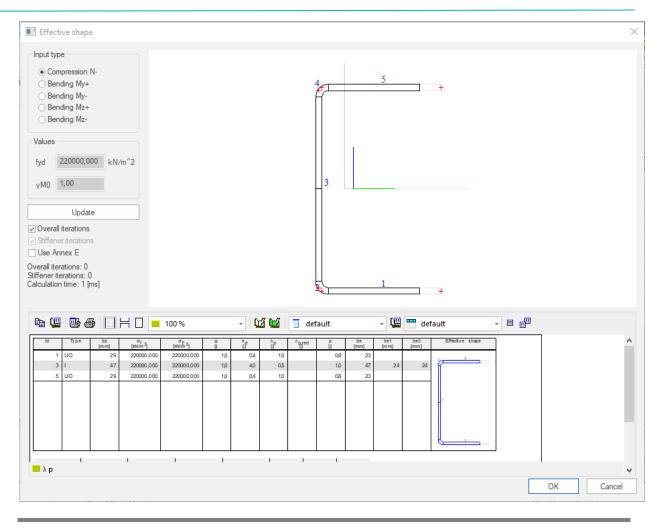
Outstanding Compression Elements

The effective width of internal compression elements is calculated according to EN 1993-1-5 **article 4.4** and **Table 4.2**.

This applies to elements of type **UO** and **SO**. The notional width b_p is used as c.



> Example WS CFS 06.esa



General method for Plane elements with Edge or intermediate Stiffeners

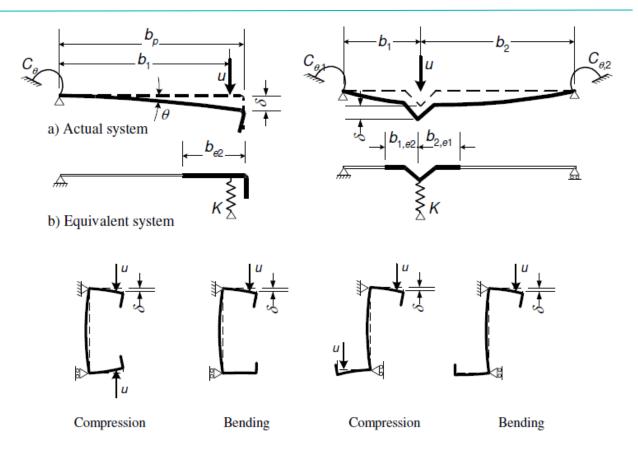
Article 5.5.3.1 (En 1993-1-3) gives the general method for plane elements with edge or intermediate stiffeners.

The design of compression elements with edge or intermediate stiffeners should be based on the assumption that the stiffener behaves as a compression members with continuous partial restraint, with a spring stiffness that depends on the boundary conditions and the flexural stiffness of the adjacent plane elements.

The spring stiffness per unit length may be determined from:

 $K = u/\delta$

where δ is the deflection of the stiffener due to the unit load *u* acting in the centroid (*b*₁) of the effective part of the cross-section.



c) Calculation of δ for C and Z sections

Figure 5.6: Determination of spring stiffness

In case of the edge stiffener of lipped C-sections and lipped Z-sections, C_{θ} should be determined with the unit load *u* applied as shown in figure 5.6(c). This results in the following expression for the spring stiffness **K** for the flange 1:

$$K = \frac{E t^3}{4(1 - \nu^2)} \cdot \frac{1}{b_1^2 h_w + b_1^3 + 0.5b_1 b_2 h_w k_f}$$

Where

b1	see figure 5.6(a)
b1	see figure 5.6(a)
h _w	is the web depth
$k_f = 0$	if flange 2 is in tension (e.g. for beam in bending about the y-y-axis)
$k_f = A_{s2} / A_{s1}$	if flange 2 is also in compression (e.g. for beam in axial compression)
$k_f = 1$	for a symmetric section in compression
A_{s2} and A_{s1}	is the effective area of the edge stiffener (including effective part b_{e2} of the flange, see figure 5.6(b)) of flange 1 and flange 2 respectively.

Note

This formula of K (given in the EN 1993-1-3) is based purely on simple sections with two flanges. In case of more complex cross-sections, the only exact procedure is to perform a numerical analysis (finite strip method) to determine the critical stresses for local and distortional buckling. This is referenced as the "general procedure" given in article 5.5.1(7). This method is currently supported by SCIA Engineer using the option "Advanced procedure" in the cross-section properties.

In addition to the standard procedure described in the previous paragraphs for the calculation of the Effective Shape, also the Advanced Procedure described in EN 1993-1-3 **art. 5.5.1(7)** is supported.

This procedure does not use analytical formulas for calculating the critical local- and distortional buckling stresses of the different elements, but instead uses the values obtained by a numerical (stability) analysis.

When this setting is activated within the Cross-section, the user can input the minimal local- and distortional buckling stresses obtained from numerical analysis for the different effective shapes. These stresses are then used for the calculation of the effective widths and thicknesses.

The following provides an overview of the different steps:

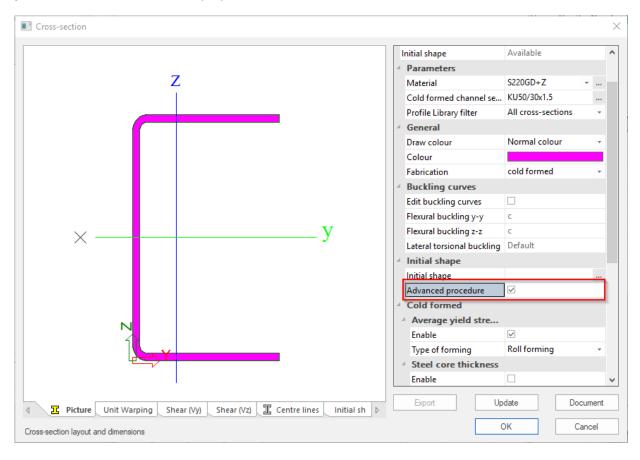
1) Calculate the elastic buckling stresses and identify the corresponding buckling modes

2) Calculate the effective width(s) according to 5.5.2 for locally buckled cross-section parts based on the **minimum** local buckling stress

3) Calculate the reduced thickness (see 5.5.3.1(7)) of edge and intermediate stiffeners based on the **minimum** distortional buckling stress

4) Calculate overall buckling resistance according to 6.2 based on the effective cross-section from steps 2) and 3).

Within SCIA Engineer, this advanced procedure can be used by ticking on the option **Advanced procedure** in the cross section properties.



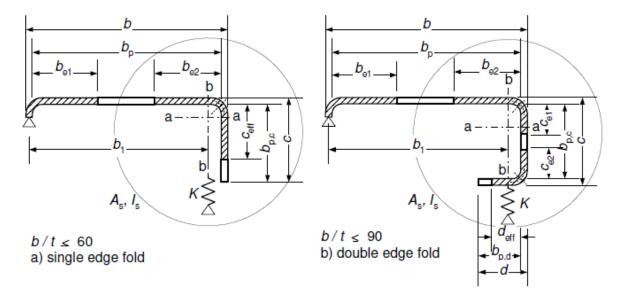
Next the user has to insert the elastic buckling stresses manually:

	Effective shape	Sigma, cr, I [kN/m^2]	Sigma, cr, d [kN/m^2]
1 N		220000,000	220000,000
2 My-	+	220000,000	220000,000
3 My-		220000,000	220000,000
4 Mz+	•	220000,000	220000,000
5 Mz-		220000,000	220000,000

Plane elements with Edge Stiffeners

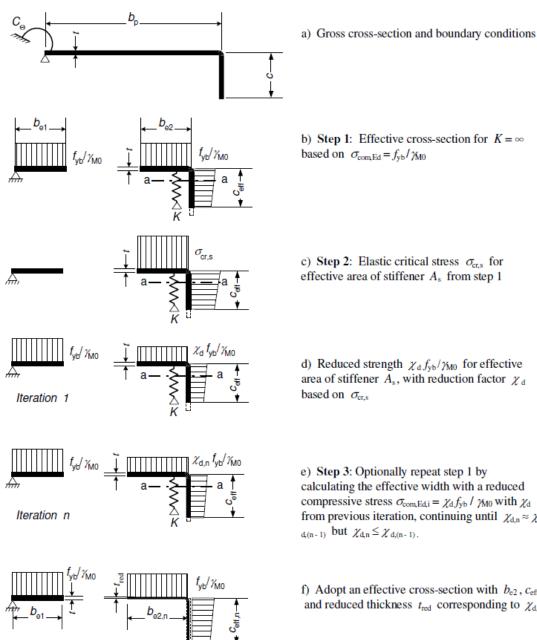
The procedure for determining the effective width/thickness of elements with edge stiffeners is given in EN 1993-1-3 article 5.5.3.2 and 5.5.3.1.

This applies to elements of type $\ensuremath{\text{RUO}}$ and $\ensuremath{\text{DEF}}.$



Procedure:

- **Step 1:** Obtain an initial effective cross-section for the stiffener using effective widths determined by assuming that the stiffener gives full restraint and that $\sigma_{com,Ed} = f_{yb}/\gamma_{M0}$.
- **Step 2:** Use the initial effective cross-section of the stiffener to determine the reduction factor for distortional buckling, allowing for the effects of the continuous spring restraint.
- **Step 3:** Optionally iterate to refine the value of the reduction factor for buckling of the stiffener.



b) Step 1: Effective cross-section for $K = \infty$ based on $\sigma_{\rm com, Ed} = f_{\rm yb} / \gamma_{\rm M0}$

c) Step 2: Elastic critical stress $\sigma_{cr,s}$ for effective area of stiffener As from step 1

d) Reduced strength $\chi_d f_{yb}/\chi_{M0}$ for effective area of stiffener A_s , with reduction factor χ_d

e) Step 3: Optionally repeat step 1 by calculating the effective width with a reduced compressive stress $\sigma_{com,Ed,i} = \chi_d f_{yb} / \gamma_{M0}$ with χ_d from previous iteration, continuing until $\chi_{d,n} \approx \chi$ $_{d,(n-1)}$ but $\chi_{d,n} \leq \chi_{d,(n-1)}$.

f) Adopt an effective cross-section with b_{e2} , c_{eff} and reduced thickness t_{red} corresponding to $\chi_{d,n}$

Step 1:

Determine the effective width with EN 1993-1-5 article 4.4 and Table 4.1.

(2)The reduction factor ρ may be taken as follows:

internal compression elements: _

 $\rho = 1,0$

for
$$\overline{\lambda}_p \le 0,673$$

$$\rho = \frac{\overline{\lambda}_p - 0.055 (3 + \psi)}{\overline{\lambda}_p^2} \le 1.0 \quad \text{for } \overline{\lambda}_p > 0.673 \text{ , where } (3 + \psi) \ge 0 \tag{4.2}$$

outstand compression elements:

$$\rho = 1,0 \qquad \text{for } \overline{\lambda}_p \le 0,748$$

$$\rho = \frac{\overline{\lambda}_p - 0,188}{\overline{\lambda}_p^2} \le 1,0 \qquad \text{for } \overline{\lambda}_p > 0,748 \qquad (4.3)$$

where $\overline{\lambda}_{p} = \sqrt{\frac{f_{y}}{\sigma_{cr}}} = \frac{b/t}{28.4 \varepsilon \sqrt{k_{\sigma}}}$

For a single edge fold stiffener:

 $c_{eff} = \rho b_{p,c}$ ρ is obtained from EN 1993-1-5, (with the notional width b_p is used as \overline{b}), except using a value of the buckling factor k_{σ} given by the following: If $b_{p,c} / b_p \le 0.35$ => $k_{\sigma} = 0.35$

If $0.35 < b_{p,c} / b_p \le 0.6$ => $k_\sigma = 0.5 + 0.83 \sqrt[3]{(b_{p,c}/b_c - 0.35)^2}$

For a double edge fold stiffener:

 $c_{eff} = \rho b_{p,c}$

 ρ and k_o are obtained from EN 1993-1-5 – Table 4.1, (with the notional width b_p is used as \overline{b}) $d_{eff} = \rho b_{p,d}$

 ρ and k_{σ} are obtained from EN 1993-1-5 – Table 4.2, (with the notional width b_p is used as \overline{b})

If
$$0.35 < b_{p,c} / b_p \le 0.6$$
 => $k_\sigma = 0.5 + 0.83 \sqrt[3]{(b_{p,c} / b_c - 0.35)^2}$

Step 2:

The effective cross-sectional area of the edge stiffener A_s is calculated correctly, with the exact value for b_p .

And the elastic critical buckling stress:

$$\sigma_{cr,s} = \frac{2\sqrt{K E I_s}}{A_s}$$

Step 3 (alternative):

The reduction χ_d for the distortional buckling resistance of an edge stiffener should be obtained from the value of $\sigma_{cr.s}$.

The reduction factor χ_d for distortional buckling resistance (flexural buckling of a stiffener) should be obtained from the relative slenderness $\bar{\lambda}_d$ from:

$$\begin{array}{ll} \chi_{d} = 1,0 & \text{if} & \bar{\lambda}_{d} \leq 0,65 \\ \chi_{d} = 1,47 - 0,723 \, \bar{\lambda}_{d} & \text{if} & 0,65 < \bar{\lambda}_{d} < 1,38 \\ \chi_{d} = \frac{0,66}{\bar{\lambda}_{d}} & \text{if} & \bar{\lambda}_{d} \geq 1,38 \end{array}$$

Where: $\bar{\lambda}_d = \sqrt{f_y/\sigma_{cr,s}}$

If $\chi_d < 1,0$ it may be refined iteratively, starting the iteration with modified values of ρ obtained with $\sigma_{com,Ed,i} = \chi_d f_{yb} / \gamma_{M0}$ so that:

$$\bar{\lambda}_{p,red} = \bar{\lambda}_p \sqrt{\chi_d}$$

The reduced effective area of the stiffener A_{s,red} allowing for flexural buckling should be taken as:

$$A_{s,red} = \chi_d A_s \frac{f_{yb} / \gamma_{M0}}{\sigma_{com.Ed.i}}$$

Conclusion

In determining effective section properties, the reduced effective area $A_{s,red}$ should be represented by using a reduced thickness $t_{red} = t A_{s,red} / A_s$ for all the elements include in A_s .

Plane elements with intermediate Stiffeners

The procedure for determining the effective width/thickness of elements with intermediate stiffeners is given in EN 1993-1-3 **article 5.5.3.3** and **5.5.3.1**. This applies to elements of type **RI**.

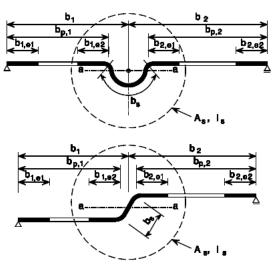
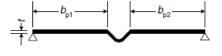
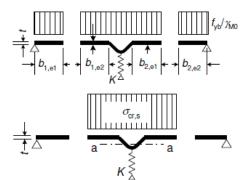


Figure 5.9: Intermediate stiffeners

This principle is also shown on the figure below:

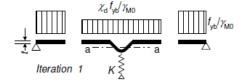


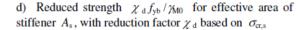
a) Gross cross-section and boundary conditions

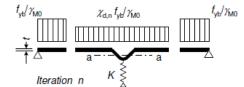


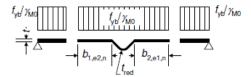
b) Step 1: Effective cross-section for $K = \infty$ based on $\sigma_{\text{com,Ed}} = f_{yb}/\gamma_{M0}$

c) Step 2: Elastic critical stress $\sigma_{cr,s}$ for effective area of stiffener A_s from step 1









- e) Step 3: Optionally repeat step 1 by calculating the effective width with a reduced compressive stress $\sigma_{\text{com,Ed,i}} = \chi_{d} f_{yb} / \chi_{M0}$ with χ_{d} from previous iteration, continuing until $\chi_{d,n} \approx \chi_{d,(n-1)}$ but $\chi_{d,n} \leq \chi_{d,(n-1)}$.
- f) Adopt an effective cross-section with $b_{1,c2}$, $b_{2,c1}$ and reduced thickness t_{red} corresponding to $\chi_{d,n}$

Step 1:

_

Determine the effective width with EN 1993-1-5 article 4.4 and Table 4.1.

(2) The reduction factor ρ may be taken as follows:

internal compression elements:

$$\rho = 1,0 \qquad \text{for } \overline{\lambda}_p \le 0,673$$

$$\rho = \frac{\overline{\lambda}_p - 0,055 (3 + \psi)}{\overline{\lambda}_p^2} \le 1,0 \qquad \text{for } \overline{\lambda}_p > 0,673 \text{ , where } (3 + \psi) \ge 0 \qquad (4.2)$$

- outstand compression elements:

$$\rho = 1,0 \qquad \text{for } \lambda_p \le 0,748$$

$$\rho = \frac{\overline{\lambda}_p - 0,188}{\overline{\lambda}_p^2} \le 1,0 \qquad \text{for } \overline{\lambda}_p > 0,748 \qquad (4.3)$$

$$\sqrt{f} = \overline{\lambda}_p + f$$

where $\overline{\lambda}_p = \sqrt{\frac{J_y}{\sigma_{cr}}} = \frac{b/t}{28,4 \varepsilon \sqrt{k_\sigma}}$

Table 4.1: Internal compression elements

Stress distribution (compression positive)	Effective ^p	width b _{ef}	ff
σ_1 σ_2		$\psi = 1$:		
<u>ben</u> <u>ber</u> <u>ber</u>		$b_{\rm eff} = \rho \ \overline{b}$		
		$b_{\rm e1} = 0.5 \ b_{\rm eff}$ $b_{\rm e}$	$_2 = 0,5 b$	eff
σ_1		$\underline{1 > \psi \ge 0}:$		
$\frac{b_{e1}}{b} = \frac{b_{e2}}{b}$		$b_{\rm eff} = \rho \ \overline{b}$		
		$b_{e1} = \frac{2}{5 - \psi} b_{eff} \qquad b_{e}$	$_2 = b_{\rm eff} - b_{\rm eff}$	b _{e1}
× bc × bi ×		$\underline{\psi} < 0$:		
σ_1 σ_2 σ_2 σ_2		$b_{\rm eff} = \rho \ b_c = \rho \ \overline{b/} \ (1-s)$	(J)	
		$b_{\rm e1} = 0.4 \ b_{\rm eff}$ $b_{\rm e}$	$_2 = 0,6 b$	eff
$\psi = \sigma_2 / \sigma_1 \qquad 1 \qquad 1 > \psi > 0$	0	$0 > \psi > -1$	-1	$-1 > \psi > -3$
Buckling factor k_{σ} 4,0 8,2 / (1,05 + ψ)	7,81	$7,81 - 6,29\psi + 9,78\psi^2$	23,9	$5,98 (1 - \psi)^2$

The effective cross-sectional area of the edge stiffener A_s is calculated correctly in SCIA Engineer using the real cross section.

Step 2:

And the elastic critical buckling stress:

$$\sigma_{cr,s} = \frac{2\sqrt{K E I_s}}{A_s}$$

The reduction χ_d for the distortional buckling resistance of an edge stiffener should be obtained from the value of $\sigma_{cr,s}$.

The reduction factor χ_d for distortional buckling resistance (flexural buckling of a stiffener) should be obtained from the relative slenderness $\bar{\lambda}_d$ from:

 $\begin{array}{ll} \chi_{d} = 1,0 & \mbox{if} & \bar{\lambda}_{d} \leq 0,65 \\ \chi_{d} = 1,47 - 0,723 \, \bar{\lambda}_{d} & \mbox{if} & 0,65 < \bar{\lambda}_{d} < 1,38 \end{array}$

$$\chi_d = \frac{0.66}{\bar{\lambda}_d}$$
 if $\bar{\lambda}_d \ge 1.38$

Where: $\bar{\lambda}_d = \sqrt{f_y/\sigma_{cr,s}}$

Step 3 (alternative):

If $\chi_d < 1,0$ it may be refined iteratively, starting the iteration with modified values of ρ obtained with $\sigma_{com,Ed,i} = \chi_d f_{yb} / \gamma_{M0}$ so that: $\bar{\lambda}_{p,red} = \bar{\lambda}_p \sqrt{\chi_d}$

The reduced effective area of the stiffener A_{s,red} allowing for flexural buckling should be taken as:

$$A_{s,red} = \chi_d A_s \frac{f_{yb} / \gamma_{M0}}{\sigma_{com,Ed,i}}$$

Conclusion

In determining effective section properties, the reduced effective area $A_{s,red}$ should be represented by using a reduced thickness $t_{red} = t A_{s,red} / A_s$ for all the elements include in A_s .

General procedure of Effective Shape Calculation

The gross-section properties are used to calculate the internal forces and deformations.

The general procedure which combines the effective calculation of plane elements without and plane elements with stiffeners is given in EN 1993-1-3 article 5.5.2(3) and article 5.5.3.

This procedure can be written out as follows:

- Step 1: The effective width of the flanges and edge/intermediate stiffeners within the flanges are calculated based on gross section properties.
- This includes the optional iterative procedure for the edge/intermediate stiffeners.
- Step 2: This partially effective shape of the previous step is used to determine the stress gradient and effective width of the web.
- This includes the optional iterative procedure for the intermediate stiffeners.
- •
- Step 3: The end result of the previous two steps is the effective cross-section and its properties can be calculated
- •
- Step 4: This process can now be optionally iterated using the stress ratio based on the effective cross-section instead of the gross cross-section.

Both iteration procedures (iteration of stiffeners and iteration of the full cross-section) can be set in the Steel setup:

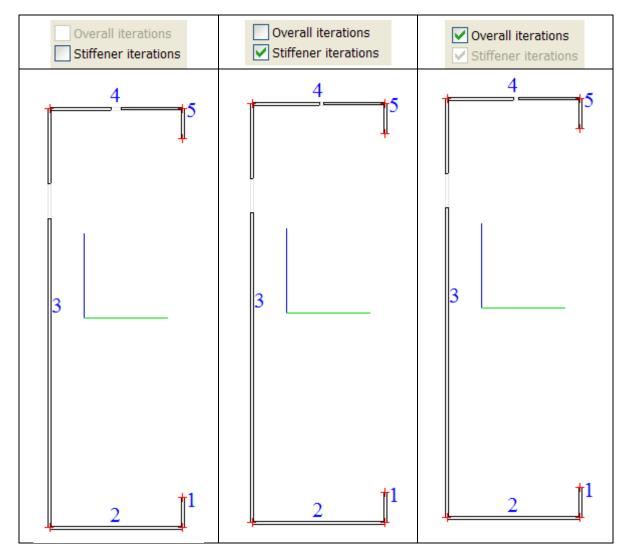
EC-EN	Name	EC-EN	
🖃 Steel	4 Steel		
Member check Relative deformation	Member check	EN 1993-1-1	
- Fire resistance	Fire resistance	EN 1993-1-2	
- Buckling defaults	Cold Formed	EN 1993-1-3	
Limit slenderness Cold Formed	4 Local and Distortional Buckling	EN 1993-1-3: 5.5.2 & 5.5.3	
Plated structural elements	Use manufacturer provided effective section properties	🗆 no	
Autodesign	Stiffener iterations	✓ yes	
	Overall Cross-section iteration	i yes	
	Local Transverse Forces	EN 1993-1-3: 6.1.7	
	Combined Bending and Axial Compression	EN 1993-1-3: 6.2.5	
	Buckling Resistance of the Free Flange	EN 1993-1-3: 10.1.4.2	
	Plated structural elements	EN 1993-1-5	
	Limit slenderness	EN 50341-1	
	Buckling defaults		
	Relative deformation		
	Autodesign		

Example WS CFS 02.esa

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In this example the differences between the options "Stiffener iterations" and "Overall iterations" activated can be seen:

Look at cross-section CS2 – Positive bending around y-y:



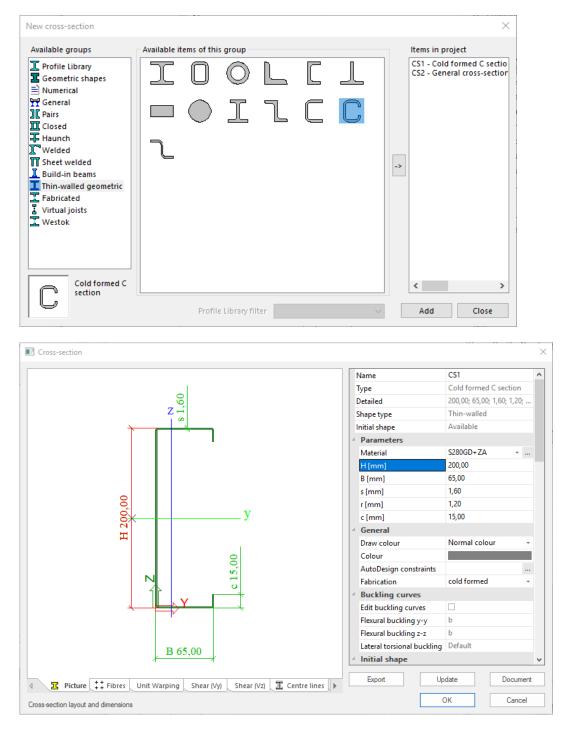
General cross-sections

Besides the cold-formed steel profiles that are available in the SCIA Engineer steel profile library, the user can create his/hers own customised cold-formed cross-sections in SCIA Engineer. This can be done in two separate ways:

- Thin-walled geometric
- General (using DWG/DXF files)

Thin-walled geometric

Using the option Thin-walled geometric, the user can select the shape of the cross-section and insert all the dimension properties manually.



By using this option, the fabrication is by default set to "Cold formed". If you click on "Update", SCIA Engineer will automatically calculate the gross section properties as well as the initial shape:

Vc [mm] Zc [mm] A [mm^2] Yeg [mm] Zeg [mm] Yed [mm] Zed [mm] t [mm] Bement type Reinf.type 1 0 8,88 19,09 64,22 15,00 64,22 2,76 1,56 UO RUO 2 31,84 100,66 4,85 64,22 2,76 62,24 0,78 1,56 I none 4 33,16 100,66 4,85 0,78 2,76 0,78 1,56 F none 5 0,78 100,00 303,39 0,78 2,76 0,78 197,24 1,56 I none 6 33,16 99,34 4,85 0,78 197,24 2,76 199,22 1,56 I none 7 32,50 199,22 92,79 2,76 199,22 64,22 197,24 1,56 F none 9 64,22 191,12 19,09 64,22 197,24 1,56 VO RUO		tial shape				R 1,60						Initial shape Initial shape Free flange geometry Restrained by sheeting Effective section Advanced procedure	×
	2 3 4 5 6 7 8	0 31,84 32,50 33,16 0,78 33,16 32,50 31,84	8,88 100,66 0,78 100,66 100,00 99,34 199,22 99,34	19,09 4,85 92,79 4,85 303,39 4,85 92,79 4,85	64,22 64,22 2,76 0,78 0,78 0,78 2,76 62,24	15,00 2,76 0,78 2,76 2,76 197,24 199,22 199,22	64,22 62,24 62,24 2,76 0,78 2,76 62,24 64,22	2,76 0,78 0,78 0,78 197,24 199,22 199,22 197,24	1,56 1,56 1,56 1,56 1,56 1,56 1,56 1,56	UO F I F I F I F	RUO none none none none none none none	5	

Import from a DWG/DXF file

A second option is to manually draw the shape of the cross-section using the "General" option in the New cross-section window.

New cross-section		×
Available groups Profile Library Geometric shapes Numerical General Pairs Closed Haunch Welded Sheet welded Build-in beams Thin-walled geometric Fabricated Virtual joists Westok	Available items of this group	->
General cross-section	Profile Library filter	Add Close

In the "Cross-section editor" window, a new cross-section can be drawn. This can be done as:

- Polygon (with or without openings)
- Thin walled
- Section from library

• Import DXF/DWG

In the next example, the use of a DWG file will be explained.

- 1) Create a new SCIA Engineer project using the material steel.
- 2) Create a new cross-section with the General cross-section option.
- 3) Use the option Import DXF/DWG to import the dwg file "C200.dwg".
- 4) Select the option **Thin walled** in the Selection mode:

🔳 Import - C:\Users\Josipa Anda	al\Downloads\SCIA praksa\[EN] SC	IA Engineer - Code check colo	d-formed steel profiles\[EN] S	- 🗆	Х
Layers	Entity types	Selection mode Thin walled Polygons (Polygonal openings) Insertion point Sizes 49 X 199 Connect single curves to Select curves	Clear selection 1 Centre closed polygons Connect curves	Import selected Import all Cancel	
<		J		>	

5) Click on Import all.

6) Now the Thin walled properties window will open.

🗾 Thin walled		×
Name	TW1	
Туре	Thin walled	
4 General		
Material	S280GD+Z	-
Corrosion [mm]	0	
Thickness [mm]	1,75	
Alignment	Centre	-
Phase	Phase 1	-
4 Geometry		
Overlap	0	
Active	🖂 yes	
		OK Cancel

Here you can select the steel material and insert the thickness of the cross-section. Next click on OK and insert the cross-section on point 0;0.

- Close the Cross-section editor window. Than the Cross-section window will open. Set the Fabrication to Cold formed and click on Update. Now all cross section properties are automatically calculated by SCIA Engineer.
- 8) Click on **Initial shape** to verify the use cross-section parts for the calculation of the effective section.

	Cro	ss-section													×
Ec	lit initi	ial shape				Z	_						 Initial shape Initial shape Effective secti Advanced pro 	ion	
Γ		Yc [mm]	Zc [mm]	A [mm^2]	Ybeg [mm]	Zbeg [mm]	Yend [mm]	Zend [mm]	t [mm]	ilement ty	/pe Re	einf.type			
	1	0	-95	16	24	-90	24	-99	2	UO	- no	ne -		4 5	
	2 3 4	0	-99	85	24	-99	-24	-99	2	I.	- no	ne -		- +	
	3	-24	0	348	-24	-99	-24	99	2	I.	* no	ne -			
	4	0	99	85	-24	99	24	99	2	I.	* no	ne -			
	5	24	95	16	24	99	24	90	2	UO	* no	ne -			
														3	
													Draw part numbers	ОК	Cancel

SLS check

Relative deformations

For each beam type, limiting values for the relative deflections are set, using the menu 'Steel' > 'Beams' > 'Steel Setup' > 'Relative deformation'.

Steel Member check Relative deformation Fire resistance Buckling defaults Cold Formed Plated structural elements Autodesign Autodesign Kelative deformation General [-] Beam [-] Column [-] Gable column [-] Secondary column [-] Rafter [-] Purlin [-]	EN 1993-1-1 EN 1993-1-2 EN 1993-1-3 EN 1993-1-5 EN 50341-1 200,00 200,00 200,00 200,00 200,00 200,00 200,00
 Relative deformation Fire resistance Buckling defaults Cold Formed Plated structural elements Autodesign Buckling defaults Buckling defaults Relative deformation General [-] Beam [-] Column [-] Gable column [-] Reafter [-] 	EN 1993-1-2 EN 1993-1-3 EN 1993-1-5 EN 50341-1 200,00 200,00 200,00 200,00 200,00 200,00 200,00
 Fire resistance Buckling defaults Limit slenderness Cold Formed Plated structural elements Autodesign Buckling defaults Relative deformation General [-] Beam [-] Column [-] Gable column [-] Secondary column [-] Rafter [-] 	EN 1993-1-3 EN 1993-1-5 EN 50341-1 200,00 200,00 200,00 200,00 200,00 200,00
 Limit slenderness Cold Formed Plated structural elements Autodesign Plated structural elements Buckling defaults Relative deformation General [-] Beam [-] Column [-] Gable column [-] Secondary column [-] Rafter [-] 	EN 1993-1-5 EN 50341-1 200,00 200,00 200,00 200,00 200,00 200,00
 Cold Formed Plated structural elements Limit slenderness Buckling defaults Relative deformation General [-] Beam [-] Column [-] Gable column [-] Secondary column [-] Rafter [-] 	EN 50341-1 200,00 200,00 200,00 200,00 200,00 200,00
 Plated structural elements Autodesign Example Secondary column [-] Refact (-] 	200,00 200,00 200,00 200,00 200,00 200,00
Relative deformation General [-] Beam [-] Column [-] Gable column [-] Secondary column [-] Rafter [-]	200,00 200,00 200,00 200,00
General [-] Beam [-] Column [-] Gable column [-] Secondary column [-] Rafter [-]	200,00 200,00 200,00 200,00
Beam [-] Column [-] Gable column [-] Secondary column [-] Rafter [-]	200,00 200,00 200,00 200,00
Column [-] Gable column [-] Secondary column [-] Rafter [-]	200,00 200,00 200,00
Gable column [-] Secondary column [-] Rafter [-]	200,00 200,00
Secondary column [-] Rafter [-]	200,00
Rafter [-]	
	200.00
Purlin [-]	200,00
	200,00
Roof bracing [-]	200,00
Wall bracing [-]	200,00
Girt [-]	200,00
Truss chord [-]	200,00
Truss diagonal [-]	200,00
Plate rib [-]	200,00
▷ Autodesign	

With the option 'Steel' > 'Beams' > 'SLS Checks - Relative deformation' the relative deformations can be checked. The relative deformations are given as absolute value, relative value related to the span, or as unity check related to the limit for the relative value to the span.

Example Relative deformation.esa

•

- Set beam type for member B196 & B112: Beam and Purlin
- Set system length for relative deformation
- Set limits for relative deformations: Beam 1/500 and Purlin 1/1000
- Relative deformation check on member B196 & B112

EC-EN	Name	EC-EN	
🖃 Steel	4 Steel		
Member check Relative deformation	Member check	EN 1993-1-1	
- Fire resistance	Fire resistance	EN 1993-1-2	
Buckling defaults	Cold Formed	EN 1993-1-3	
Limit slenderness Cold Formed	Plated structural elements	EN 1993-1-5	
Plated structural elements	Limit slenderness	EN 50341-1	
Autodesign	Buckling defaults		
	Relative deformation		
	General [-]	200,0	
	Beam [-]	500,0	
	Column [-]	200,0	
	Gable column [-]	200,0	
	Secondary column [-]	200,0	
	Rafter [-]	200,0	
	Purlin [-]	1000,0	
	Roof bracing [-]	200,0	
	Wall bracing [-]	200,0	
	Girt [-]	200,0	
	Truss chord [-]	200,0	
	Truss diagonal [-]	200,0	
	Plate rib [-]	200,0	
	▷ Autodesign		

Relative deformation

Linear calculation, Extreme : Member, System : Principal Selection : B112, B196 Combinations : SLS

Member	dx [m]	Case - combination	uy [mm]	Rel uy [1/xx]	uz [mm]	Rel uz [1/xx]	Check uy [-]	Check uz [-]
B112	3,000	SLS/1	-20,0	1/301	-50,0	1/1081	3,33	0,93
B112	0,000	SLS/2	0,0	0	-22,0	1/2450	0,00	0,41
B112	0,000	SLS/3	0,0	0	-21,8	1/2474	0,00	0,40
B196	4,364	SLS/3	0,0	1/10000	-3,0	1/2008	0,00	0,25
B196	1,091	SLS/3	0,0	1/10000	-2,1	1/2791	0,00	0,18
B196	3,000	SLS/4	0,0	1/10000	-3,9	1/1528	0,00	0,33
B196	0,000	SLS/2	0,0	0	0,0	0	0,00	0,00

Manual calculation uy

- B112: L = 6,0 m → limit: 6000/1000 = 6 mm
uy = 20 mm → Rel uy = 20/6000 = 1/301
Check = 20mm/6mm = 3,33

- B196: L = 6,0 m → limit: 6000/500 = 12 mm uy = 0mm → Rel uy = 1/10000 (= default value for 0 results) Check = 0mm/12mm = 0,00

Manual calculation uz

- B112: L = 9 beams x 6,0 m = 54m → limit: 54000/1000 = 54 mm uz = 50,0 mm → Rel uz = 50,0/54000 = 1/1081 Check = 50mm/54mm = 0,93

- B196: L = 6,0m → limit: 6000/500 = 12 mm uz = 3,9 mm → Rel uz = 3,9/6000 = 1/1522 Check: 3,9mm/12mm = 0,33

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ULS check

In this chapter, all ULS checks according to EN1993-1-3 are explained in detail. Both the sections check and the stability check can be found in SCIA Engineer under "Steel => Beams => ULS checks => Check". In this menu, the user can choose to look at the "Brief" output or the "Detailed" output.

With the brief output, the results are shown in one line.

With the detailed output, the results off all unity checks are shown including a reference to the used formula in the EN1993-1-3 for each check.

In below, the detailed output is printed out and next every calculated unity check will be explained in detail.

Example WS CFS Hall.esa >

Consider beam B112

EC-EN 1993 Steel check ULS

Linear calculation Combination: ULS Coordinate system: Principal Extreme 1D: Member Selection: B112

EN 1993-1-3 Cold Formed Code Check National annex: Standard EN

Member B112 3,000 / 6,000 m Cold formed Sigma S 235 ULS 5,16 section

Combination key 25*CW/1+ 1 50*0

013/1.33 300+1.33 3001+1.30	SHOW
Partial safety factors	
YMD for resistance of cross-sections	1,00
YM1 for resistance to instability	1,00
γ _{M2} for resistance of net sections	1,25

Material		
Yield strength fy	235,0	MPa
Ultimate strengthfu	360,0	MPa
Fabrication	cold formed	

...::SECTION CHECK::...

The critical check is on position 3,000 m

Internal forces	Calculated	Unit
NEd	3,01	kN
Vy,Ed	0,00	kN
V _{z,Ed}	-0,18	kN
TEd	0,00	kNm
My,Ed	8,20	kNm
M _{z,Ed}	0,79	kNm

Effective section My+ Effective width calculation

According to EN 1993-1-3 article 5.5.2, 5.5.3 & EN 1993-1-5 article 4.4

bez calculat	Dei	De	ρ	λ _{p, red}	λp	Ko	Ψ	0 2	σι	bp	Туре	Id
[mm]	[mm] 8	[mm]	[-]	E	[-]	[-]	[-]	[N/mm ²]	[N/mm ²]	[mm]		
CHUINGUUIS								-227,096	-185,881	18	UO	1
N 1993-1-3	E							-230,496	-229,769	60	I	3
abonal anne	N							-226,329	-150,224	32	I	5
Member B1	1							-148,555	-121,268	28	I	7
32	21	53	1,00		0,39	22,93	-0,96	-119,595	124,215	104	I	9
Puelo data I	6	28	1,00		0,00	0,00	0,82	125,899	153,804	28	I	11
17	15	32	1,00		0,27	4,76	0,67	155,489	231,594	32	Ι	13
30	30	60	1,00	0,52	0,54	4,01	1,00	234,274	235,000	60	Ι	15
ourtial cafety		18	1,00	0,43	0,45	0,50	0,82	189,618	230,833	18	UO	17

Stiffener calculation According to EN 1993-1-3 article 5.5.3

Id	As	Is	b1	b ₂	hw	k _f	K	σcr	λd	Xd	A _{s, red}
	[m²]	[m4]	[mm]	[mm]	[mm]	[-]	[N/mm ²]	[N/mm ²]	[-]	[-]	[m ²]
11	1,2721e-04	1,5383e-08	109	43	0	0,00	3,039	1557,754	0,39	1,00	1,2721e-04
17	9,4895e-05	3,1731e-09	53	41	232	0,00	0,549	402,949	0,76	0,92	8,7101e-05

Effective section Mz+ Effective width calculation

According to EN 1993-1-3 article 5.5.2, 5.5.3 & EN 1993-1-5 article 4.4

Id	Туре	b₀ [mm]	σ1 [N/mm ²]	σ2 [N/mm ²]	Ψ [-]	k₀ [-]	λ _Ρ [-]	λp,red [-]	ρ [-]	be [mm]	De1 [mm]	bez [mm	
1	UO	18	235,000	235,000	1,00	0,50	0,45	0,43	1,00	18		C Fel	
3	I	60	226,136	-139,246	-0,62	15,39	0,28	0,26	1,00	37	15	22	
5	I	32	-148,032	-148,032							1	4z.Ed	
7	I	28	10,150	-145,324	-14,32	0,00	0,00		1,00	28			
9	I	104	12,937	12,937	1,00	4,00	0,93		0,82	85	43 EF	43	ectio
11	I	28	10,150	-145,324	-14,32	0,00	0,00		1,00	28	Ef	fective v	vidth
13	I	32	-148,032	-148,032							Ac	cording to	> EN
15	I	60	226,136	-139,246	-0,62	15,39	0,28	0,26	1,00	37	15	22	he
17	UO	18	235,000	235,000	1,00	0,50	0,45	0,43	1,00	18			Im

Stiffener calculation According to EN 1993-1-3 article 5.5.3

				_						COL	sider bearrind
Id	As	Is	bi	D2	hw	Kr	K	Cor	λα	Xd	As, red
	[m²]	[m⁴]	[mm]	[mm]	[mm]	[-]	[N/mm ²]	[N/mm ²]	[-]	[-]Ch	[m²] of stee
1	6,5102e-05	2,5477e-09	59	59	232	1,00	0,307	393,636	0,77	0,91	5,9332e-05
7	1,9638e-04	2,7114e-08	46	105	0	0,00	2,779	1281,125	0,43	1,00	1,9638e-04
11	1,9638e-04	2,7114e-08	105	46	0	0,00	2,779	1281,125	0,43	1,00	1,9638e-04
17	6,5102e-05	2,5477e-09	59	59	232	1,00	0,307	393,636	0,77	0,91	5,9332e-05

Effective proper	ties					
Effective area	Aerr	6,9221e-04	m ²			
Effective second	Ieff,y	4,2621e-06	m⁴	Ieff,z	2,7347e-07	m4
moment of area						
Effective section	Weff,y	4,2159e-05	m ³	Weff,z	6,8960e-06	m ³
modulus						
Shift of the	en,y	0	mm	en,z	-1	mm
centroid						

Basic data EC3 : EN partial safety factor Ga cross-sections partial safety factor Ga partial safety factor Ga

Axial tension check

According to article EN 1993-1-3: 6.1.2 and formula (6.1).

Ag	7,5398e-04	m ²
Fn,Rd	217,15	kN
N _{t,Rd}	177,19	kN
Unity check	0,02	-

Bending Moment Check

Bending Moment My According to article EN 1993-1-3:6.1.4.1 and formula (6.4)

W _{el,y}	4,3337e-05	m ³
Weff,y	4,2159e-05	m ³
Mcy,Rd	9,91	kNm
Unity check	0,83	-

Bending Moment Mz

According to article EN 1993-1-3: 6.1.4.1 and formula (6.4)

Welz	7,3679e-06	m ³
Weff,z	6,8960e-06	m ³
Mcz,Rd	1,62	kNm
Unity check	0.48	-

Biaxial Bending

According to article EN 1993-1-3:6.1.4.1 and formula (6.7)

Mcy,Rd	9,91	kNm
Mcz,Rd	1,62	kNm
Unity check	1,31	-

Torsional Moment Check

According to article EN 1993-1-3: 6.1.6 and formula (6.11a), (6.11b), (6.11c).

Elastic verification		
Critical Fibre	91	
σ _N	-4,0	MPa
σ _{My}	189,0	MPa
σ _{Mz}	107,1	MPa
TVY	0,0	MPa
T _{Vz}	0,1	MPa
Tt	0,0	MPa
Direct Stress Check	1,24	-
Shear Stress Check	0,00	-
a lat al l		

Composed Stress Check 1,13 -

Combined Tension and Bending Check

According to article EN 1993-1-3: 6.1.8 and formula (6.23), (6.24).

Nt,Rd	177,19	kN
M _{cy,Rd,ten}	10,12	kNm
Mcz,Rd,ten	2,54	kNm
Mcy,Rd,com	9,92	kNm
Mcz Rd.com	1.62	kNm

Unity check (6.23) 0,02 + 0,81 + 0,31 = 1,14 - Unity check (6.24) 0,83 + 0,48 - 0,02 = 1,29 -

The member does NOT satisfy the section check!

...::STABILITY CHECK:....

Lateral Torsional Buckling Check

According to article EN 1993-1-3:6.2.4 According to article EN 1993-1-1:6.3.2 and formula (6.55)

LTB Parameters		
Method for LTB Curve	art. 6.3.2.2	
Where	4 21500-05	m ³

LTB Parameters		
Elastic critical moment Mar	2,05	kNm
Relative slenderness λ _{rel,LT}	2,20	
Limit slenderness $\lambda_{rel,LT,0}$	0,40	
LTB curve	b	
Imperfection aLT	0,34	
Reduction factor XLT	0,18	
Buckling resistance Mb,Rd	1,75	kNm
Unity check	4,69	-
M _{er} Parameters		
LTB length	6,000	m
k	1,00	
kw	1,00	
C1	2,51	
C2	1,49	
C3	0.41	
Influence of load position	destabilising	

Bending and Axial Tension Check

According to article EN 1993-1-3:6.3.

Nt,Rd	177,19	kN
Mb,y,Rd	1,75	kNm
Mc,z,Rd,com	1,62	kNm

Unity check: 4,69+0,48-0,02 = 5,16 -

The member does NOT satisfy the stability check!

Remarks about this checks are given below:

Section checks

Axial Tension

The axial tension check is executed according to EN 1993-1-3, article 6.1.2.

Axial Compression

The axial compression check is executed according to EN 1993-1-3, article 6.1.3.

The choice between formula (6.2) and (6.3) is made by comparing the gross area A_g from the initial shape with the effective area A_{eff} of the effective shape for **Compression**:

- Profile Library sections can have different gross properties compared to the initial shape since the gross properties come from certain sources and are mostly rounded off.
- For general cross-sections the gross shape can differ from the initial shape since the initial shape concerns a thin walled representation.

Bending moment

The bending moment check is executed according to EN 1993-1-3, article 6.1.4.1.

The choice between formula (6.4) and (6.5) is made by comparing the elastic section modulus W_{el} from the initial shape with the effective section modulus W_{eff} of the effective shape for bending:

- Profile Library sections can have different gross properties compared to the initial shape since the gross properties come from certain sources and are mostly rounded off.
- For general cross-sections the gross shape can differ from the initial shape since the initial shape concerns a thin walled representation.

This check (formula (6.5)) is only applied in the following cases (EN 1993-1-3 article 6.1.4.1(2)

- There is only single bending My or Mz
- There is no torsion, no Torsional (-Flexural) Buckling), no Lateral Torsional Buckling and no distortional buckling
- The angle between the web and flange exceeds 60°.

Otherwise this formula has to be replaced by formula (6.6).

Articles **6.1.4.2** and **6.1.4.3** from EN 1993-1-3 concerning the plastic reserve of the tension flange and the effects of shear lag are not supported.

Shear force

The shear force check is executed according to EN 1993-1-3, **article 6.1.5**. The shear resistance is calculated for each 'web' element separately and the cross-section resistance is taken as the sum of these resistances.

Formula (6.8) is rewritten as follows for both directions:

$$V_{b,Rd,y} = \sum_{i} V_{b,Rd,yi} = \sum_{i} \frac{l_{c,i} * t_i * f_{bv,i}}{\gamma_{M0}} \cos^2(\alpha_i)$$
$$V_{b,Rd,z} = \sum_{i} V_{b,Rd,zi} = \sum_{i} \frac{l_{c,i} * t_i * f_{bv,i}}{\gamma_{M0}} \sin^2(\alpha_i)$$

With:

α_i Angle of element **i** related to the principal axis y-y axis

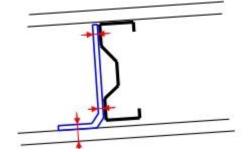
Ic,i Centreline length of element i

Note

Different formulas are given for web with and without longitudinal stiffeners (see EN 1993-1-3 formula (6.10a) and (6.10b)).

By default the shear check is executed "without stiffening at the support".

In case Local transverse forces data are inputted which have the checkbox "Local Transverse Forces" not activated, the Shear check in those sections is executed "with stiffening at the support".



Torsional moment

The combined stress Check including torsion and warping is executed according to EN 1993-1-3, article 6.1.6.

The average yield strength is f_{ya} in all three formulas (6.11a), (6.11b), (6.11c) will only be used in case for all three force components separately (N, M_y, M_z) the average yield strength may be used (A_{eff} = A_g; W_{eff,y} = W_{el,y}; W_{eff,z} = W_{el,z}).

Local transverse forces

General procedure

The local transverse forces check is executed according to EN 1993-1-3 art 6.1.7 and following.

The check is executed on the positions where there is a jump in the Vz shear force diagram.

Remarks:

 The shear force diagram of both the actual member as well as adjacent members is evaluated. Adjacent members are defined as members which are in the same buckling system.

- The Flange Condition depends on the definition of the initial shape. In case there is an element with reinforcement type **ROU** or **DEF** the setting is taken as "Stiffened".
- The distances for One-flange/Two-flange and End/Interior are evaluated taking into account adjacent members. Adjacent members are defined as members which are in the same buckling system.
- In case the cross-section has multiple webs, for determining the load condition the maximal web height is used.
- As opposed to EN 1993-1-3 **art.6.1.7.2(4)**, the exact inputted bearing length **ss** will be used at all times i.e. the simplification of using the minimal length for both opposing loads is not supported.

Cross-sections with a single unstiffened web

As indicated on EN 1993-1-3 **Figure 6.6**, the local transverse force resistance is taken relative to the support, not according to the principal z-axis. Therefore **FEd**, is determined according to the LCS axis system and not according to the principal axis system!

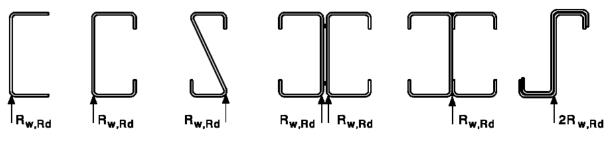


Figure 6.6: Examples of cross-sections with a single web

This paragraph specifies the general procedure to determine the local transverse web resistance which is applied for any type of cross-section except for **FC 115** (Cold formed Omega).

<u>Step 1</u>

In a first step the web height h_w is determined for each "web" element:

- Only elements of type I are accounted for. In addition elements with stiffener types RUO and DEF are not accounted for.
- For each of those elements i the centreline length Ic,i is read from the Initial shape
- For each of those elements **i** the angle ϕ_i is determined as the angle of the element relative to the horizontal axis (based on **Figure 6.6**). In addition, only elements with an angle $\phi_i \ge 45^\circ$ are accounted for.
- The web height for each element **i** is calculated as: $h_{w,i} = l_{c,i} * sin\phi_i$

In case none of the cross-section elements fulfill the above conditions, the local transverse forces check is not supported for the cross-section.

Step 2

When $\mathbf{h}_{w,i}$ is determined, the local transverse resistance $\mathbf{R}_{w,Rd,i}$ for each of those elements is determined based on EN 1993-1-3 art.6.1.7.2 – Table 6.7 with coefficients k_1 to k_5 determined in EN 1993-1-3 article 6.1.7.2(3).

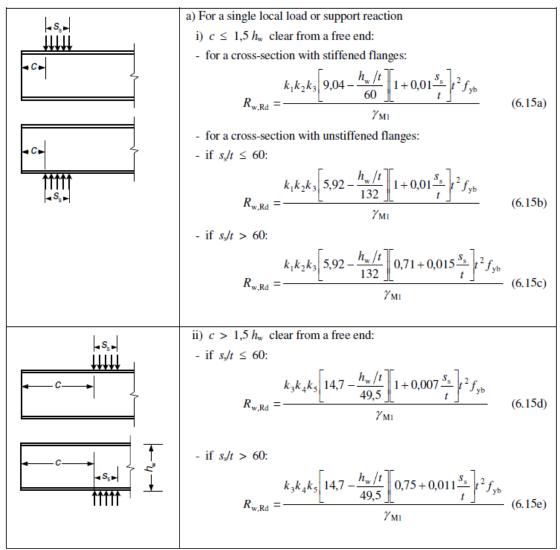


Figure 6.7a): Local loads and supports - cross-sections with a single web

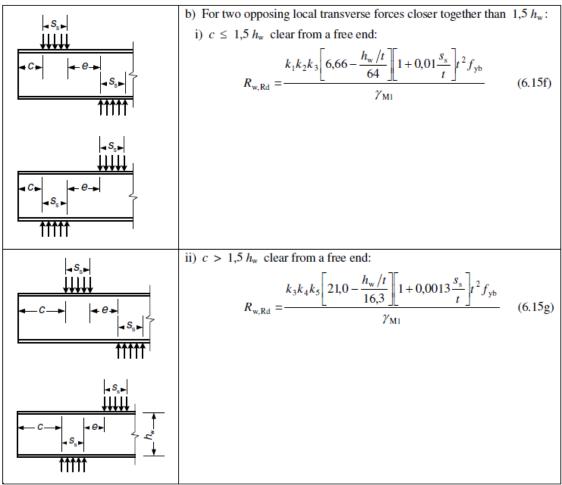
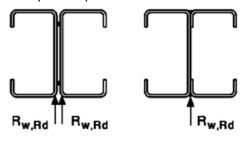


Figure 6.7b): Local loads and supports — cross-sections with a single web

The final cross-section resistance is taken as the sum of the individual element resistances.

In case Web rotation prevented was set using Local Transverse Forces data instead of EN 1993-1-3 Figure 6.7a & 6.7b the formulas given in EN 1993-1-3 art. 6.1.7.2(4) are used. Example of a prevented web rotation:



Omega sections

Specifically for FC 115 (Cold formed Omega) cross-sections the special procedure for sections with two or more unstiffened webs is applied. The local transverse resistance $R_{w,Rd,i}$ for each of those webs is determined according to EN 1993-1-3 art. 6.1.7.3.

Other cross-sections with two or more unstiffened webs will always be calculated according to the General Procedure, not this special procedure.

Stiffened webs

This paragraph outlines the special procedure in case of stiffened webs according to EN 1993-1-3 **art. 6.1.7.4**.

This method is used only in case there are one or more elements with stiffener type RI.

The procedure consists of four steps.

Step 1: Creating "composed" webs

In a first step, "composed" webs are created using the same procedure as outlined in Sections with Internal stiffeners.

This includes the determination of the centerline length Ic,i of those "composed" webs.

Step 2: Evaluation of "composed" webs

The special procedure outlined in EN 1993-1-3 art. 6.1.7.4 is only valid under certain conditions.

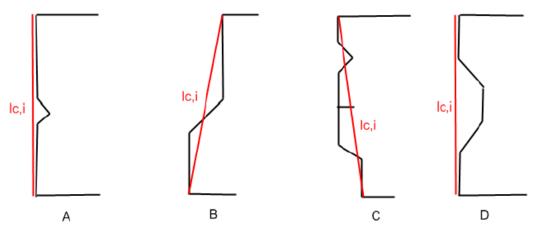
Therefore, each "composed" web is evaluated to see if it meets the following requirements:

- There is one or more elements with stiffener type RI
- Each **RI** element should have element type **I** (i.e. it is at both sides connected to other elements signifying it's a fold instead of a stiffener).
- Elements connected to this **RI** element should not have stiffener type **RI**. This implies that the procedure is not applied in case of neighbouring stiffener elements i.e. elements forming "one" big stiffener.

Composed webs which do **NOT meet these requirements** are further evaluated in **step 3**.

Composed webs which meet all requirements are further evaluated in step 4.

Examples of cross sections with composed webs



- Section A contains two RI stiffeners which are connected. The web thus does not meet the requirements (calculated as described in **step 3**).
- Section B contains a single RI stiffener which meets all the requirements. This stiffener is thus a "true" two fold stiffener so the special article applies (calculated as described in step 4).
- Section **C** contains several **RI** stiffeners however not all match the requirements (one is an outstand stiffener, others are connected etc). The web thus does not meet the requirements (calculated as described in **step 3**).

Section D has a composed web which contains two RI stiffeners. Both meet all the requirements and are thus "two fold stiffeners (calculated as described in step 4).

Step 3: Composed webs witch do NOT meet the requirements

For composed webs which do not meet the requirements, the special article is not valid. The local transverse force resistance of these webs will be determined according to the procedure for cross-sections with a single unstiffened web.

In this case, the centerline length $I_{c,i}$ of the composed web is used in the determination of h_w . The angle ϕ_i is determined as the angle of the center line length relative to the horizontal axis.

Step 4: Composed webs which meet all requirements

For composed webs which meet all requirements, the special procedure outlined in EN 1993-1-3 **article 6.1.7.4** is applied.

The "system line" of this web is taken as the centerline length Ic,i.

The eccentricity **e** is determined at each end of an **RI** within the "composed" web. Eccentricity \mathbf{e}_{min} and \mathbf{e}_{max} are then taken as the min and max value for the considered composed web.

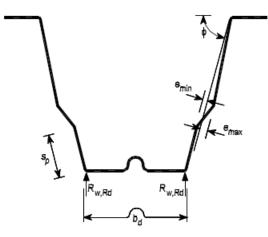


Figure 6.10: Stiffened webs

The article is applied in case the following limit is fulfilled:

$$2 < \frac{e_{max}}{t} < 12$$

In case this limit is not fulfilled, the special article is not applied and the composed web is considered as a web which does not meet all requirements. For such a web the procedure outlined in **step 3** is applied.

Local Transverse Force data in SCIA Engineer

In SCIA Engineer a point force is inputted as a point, but in the calculation of the check for the Local Transverse Force, a bearing length S_s will be used. Default this value is inputted as 10mm in SCIA Engineer. The default value can be adapted in "Steel > Beams > Steel Setup > Cold Formed":

EC-EN	Name	EC-EN			
🖃 Steel	∡ Steel				
Member check Relative deformation	Member check	EN 1993-1-1			
- Fire resistance	Fire resistance	EN 1993-1-2			
Buckling defaults	Cold Formed	EN 1993-1-3			
Limit slenderness Cold Formed	4 Local and Distortional Buckling	EN 1993-1-3: 5.5.2 & 5	.5.3		
Plated structural elements	Use manufacturer provided effective section propert	s 🗌 no			
Autodesign	Stiffener iterations	🗸 yes			
	Overall Cross-section iteration	🗹 yes			
	4 Local Transverse Forces	EN 1993-1-3: 6.1.7			
	Ignore check	no			
	Bearing length S _s [mm]	10			
	Use I _a correction in (6.18)	🗹 yes			
	4 Combined Bending and Axial Compression	EN 1993-1-3: 6.2.5			
	Interaction	EN 1993-1-1 art. 6.3.3			
	⁴ Buckling Resistance of the Free Flange	EN 1993-1-3: 10.1.4.2			
	Limit for large axial force	0,1			
	Plated structural elements	EN 1993-1-5			
	Limit slenderness	EN 50341-1			
	Buckling defaults				
	Relative deformation				
	Autodesign				
	Reference: EN 1993-1-3 article 6.1.7.2 Description: Default value for the nominal length of stiff b Application: Used in the determination of the Local Trans- reaction is spread.		h over which the local	l load or sup	pport
	Load default non-	A parameters Load defa	ault NA parameters	ОК	Can

It is also possible to change this bearing length for one beam only or change the default properties for this beam manually with the option "Steel > Beams > Member Check data > Local Transverse Forces data"



Name	WC1	
Local Transverse Forces Check	✓ Yes	
Loading Conditions	Determined automatically	-
Bearing Length Ss	Default from setup	-
Value [mm]	10	
Web rotation prevented	🗆 No	
Range [mm]	0	
Geometry		
Coord. definition	Rela	-
Position x	0,000	
Repeat (n)	1	

> Example WS CFS Hall.esa

Consider beam B122 and look at the detailed output:

Local Transverse Forces Check According to article EN 1993-1-3: 6.1.7.2, 6.1.7.4 and formula (6.15d)

Local Transverse Forces parameters			
Flange condition	Stiffened		
Loading condition	Interior one-flange (IOF)		
Web rotation	Not prevented		
Inside bend radius r	4	mm	
Bearing length ss	10	mm	
k	1,03		
k ₁	0,99		
k4	0,99		

Element	k [mm]	φ [deg]	h _w [mm]	t[mm]	K 2	k3	K5	Rw,Rd,i [kN]
4-5-6-7-8-9-10-11-12-13-14	198	90,00	198	2	0,84	1,00	0,94	11,02
Flement	emin [mm]	emax [m]	այ թվա	ոլ ջ լո	ալ	Kae	1	
4-5-6-7-8-9-10-11-12-13-14	0	27	63	32		11,02	1	

Note: The stiffened web consisting of elements 4-5-6-7-8-9-10-11-12-13-14 does not satisfy the condition of formula (6.21). Therefore article 6.1.7.4 is not applied.

Local Transverse Foro	es verifica	tion
Load/Reaction Fed	35,00	kN
R _{w,Rd}	11,02	kN
Unity check	3,18	-

Combined tension and Bending

The Combined Tension and Bending check is executed according to EN 1993-1-3, article 6.1.8.

Combined Compression and Bending

The Combined Compression and Bending check is executed according to EN 1993-1-3, article 6.1.9.

Additional moments due to the shift in neutral axis are calculated at the beginning of the check and added to the internal forces. This ensures specific bending checks are executed also in case there is no initial moment but only an additional moment.

Combined shear force, axial force and bending moment

The Combined Compression and Bending check is executed according to EN 1993-1-3, article 6.1.10.

Formula (6.27) is rewritten as follows for both directions:

Shear V_y
$$\frac{N_{Ed}}{N_{Rd}} + \frac{M_{z,Ed}}{M_{z,Rd}} + \left(1 - \frac{M_{f,Ed}}{M_{z,pl,Rd}}\right) \left(\frac{2V_{y,Ed}}{V_{y,b,Ed}} - 1\right)^2 \le 1$$

Shear V_z

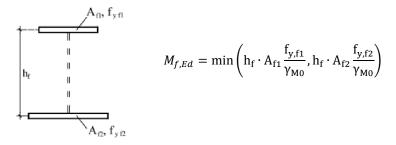
$$\frac{N_{Ed}}{N_{Rd}} + \frac{M_{y,Ed}}{M_{y,Rd}} + \left(1 - \frac{M_{f,Ed}}{M_{y,pl,Rd}}\right) \left(\frac{2V_{z,Ed}}{V_{z,b,Ed}} - 1\right)^2 \le 1$$

 $M_{f,Ed}$ is the design moment resistance of the cross-section consisting of the effective area of flanges only (see EN 1993-1-5)

 $M_{f,Ed}$ is taken as **zero** in case of **V**_y. In case of weak axis bending the "web" becomes a "flange". Since there is only a single "flange" in that case, the moment resistance of this flange is negligible. In addition, in case of more webs like in a box section EN 1993-1-5 **art. 7.1 (5)** specifies $M_{f,Ed} = 0$. Therefore, as a general conservative approach for **V**_y the value of $M_{f,Ed}$ is taken as 0

Remarks:

According to [Ref.2] pp70 $M_{f,Ed}$ is calculated as follows:



This is generalized in the following way:

- Only elements with element types I, UO and SO are accounted for
- Only elements which have an angle with the principal y-y axis which is 45° are considered. In case there is <u>only one or none</u> of such element, $M_{f.Ed} = 0$.
- Of these elements, the one with the lowest **b**_{eff} is considered. The width **b**_{eff} concerns the effective with of this element, read from the effective shape for bending.
- A_f = b_{eff} * t with t the thickness of the considered element.
- Next only elements which have an angle with the principal y-y axis which is > 45° are considered. In case there are no such elements, set $M_{f.Ed} = 0$.
- Of these elements, the one with the highest value of I_c * sin(α) is considered, with I_c the centreline length of the element.
- $h_f = I_c * sin(\alpha)$

-
$$M_{f,Ed}$$
 is now calculated as: $M_{f,Ed} = h_f \cdot A_f \frac{f_y}{\gamma_{M0}}$

Combined bending moment and local Load or Support reaction

The Combined Bending moment and local Load or Support reaction is executed according to EN 1993-1-3, **article 6.1.11**.

In formula (6.28c) the internal force M_{Ed} is taken as the actual moment in the section considered, not the moment at the edge of the support.

Stability checks

General remarks

The different system lengths and sway type have to be introduced. The defaults can be overruled by the user.

During the non-linear analysis, the sway type can be set by user input, or by 'non-sway'. 'Steel > Beams > Steel Setup':

- EC-EN	Name	EC-EN
🖃 - Steel	4 Steel	
Member check Relative deformation	4 Member check	EN 1993-1-1
- Fire resistance	Classification	EN 1993-1-1: 5.2.2
Buckling defaults	▷ Shear	EN 1993-1-1: 6.2.6
···· Limit slenderness ···· Cold Formed	▷ Torsion	EN 1993-1-1: 6.2.7
Plated structural elements	4 Default sway types	EN 1993-1-1: 6.3.1
Autodesign	у-у	🗆 no
	z-z	🗌 no
	Buckling length ratios ky, kz	EN 1993-1-1: 6.3.1
	Max. k ratio [-]	10,0
	Max. slenderness [-]	200,0
	2 nd order buckling ratios	All non-sway
	Lateral Torsional Buckling	EN 1993-1-1: 6.3.2
	General settings	
	Fire resistance	EN 1993-1-2
	Cold Formed	EN 1993-1-3
	Plated structural elements	EN 1993-1-5
	Limit slenderness	EN 50341-1
	Buckling defaults	
	Relative deformation	
	Autodesign	

Buckling Ratio

General method

For the calculation of the buckling ratios, some approximate formulas are used. These formulas are treated in the Theoretical Background (Ref.[32]).

The following formulas are used for the buckling ratios :

• for a non-sway structure :

$$l'L = \frac{(\rho_1\rho_2 + 5\rho_1 + 5\rho_2 + 24)(\rho_1\rho_2 + 4\rho_1 + 4\rho_2 + 12)2}{(2\rho_1\rho_2 + 11\rho_1 + 5\rho_2 + 24)(2\rho_1\rho_2 + 5\rho_1 + 11\rho_2 + 24)}$$

• for a sway structure :

$$l/L = x \sqrt{\frac{\pi^2}{\rho_1 x} + 4}$$

with	L	the system length
	Е	the modulus of Young
	I	the moment of inertia

Ci	the stiffness in node I
Mi	the moment in node I
Fi	the rotation in node I

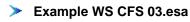
$$\begin{aligned} x &= \frac{4\rho_1\rho_2 + \pi^2\rho_1}{\pi^2(\rho_1 + \rho_2) + 8\rho_1\rho_2} \\ \rho_i &= \frac{C_iL}{EI} \\ C_i &= \frac{M_i}{\phi_i} \end{aligned}$$

The values for M_i and ϕ_i are approximately determined by the internal forces and the deformations, calculated by load cases which generate deformation forms, having an affinity with the buckling form.

The following load cases are considered :

- load case 1 : on the beams, the local distributed loads qy=1 N/m and qz=-100 N/m are used, on the columns the global distributed loads Qx = 10000 N/m and Qy =10000 N/m are used.
- load case 2 : on the beams, the local distributed loads qy=-1 N/m and qz=-100 N/m are used, on the columns the global distributed loads Qx = -10000 N/m and Qy= -10000 N/m are used.

The used approach gives good results for frame structures with perpendicular rigid or semi-rigid beam connections. For other cases, the user has to evaluate the presented bucking ratios.



- consider B1:

- L = 4000 mm
- set as sway
- E = 210000 N/mm²
- ly = 22340000 mm⁴
- in node N1 :
- fiy = 32,3484 rad
- My = 64768,2*10^6 Nmm
- \circ Ci = 1,999 x 10⁹ Nmm/rad
- in node N2 for LC1:
 - o fiy = 42,1384 rad
 - My = 15469,39*10^6 Nmm
 - \circ Ci = 3,58 x 10⁸ Nmm/rad

- $\rho_2 = 0,36$
- x = 0,79
- ⇒ buckling ratio = 2,65

Ncr = $\pi^2 EI / I^2 = 3.14^2 \times 210000 \times 22340000 / (2.65 \times 4000)^2 = 411,12 \text{ kN}$

Steel slenderness

Linear calculation

					_				
Member	CS Name	Part	Sway y	Ly	ky	ly	Lam y	yz	I LTB
				[m]	[-]	[m]	[-]	[m]	[m]
			Sway z	Lz	kz	z	Lam z		
				[m]	[-]	[m]	[-]		
B1	CS1	1	Yes	4,000	2,64	10,577	149,78	4,000	4,000
			No	4,000	1,00	4,000	98,49		

Stability calculation for LC3: a load of 1 kN on the column

Critical load coefficients

N	f
-	[]
Stability	combination : S1
1	425,83

Crossing diagonals

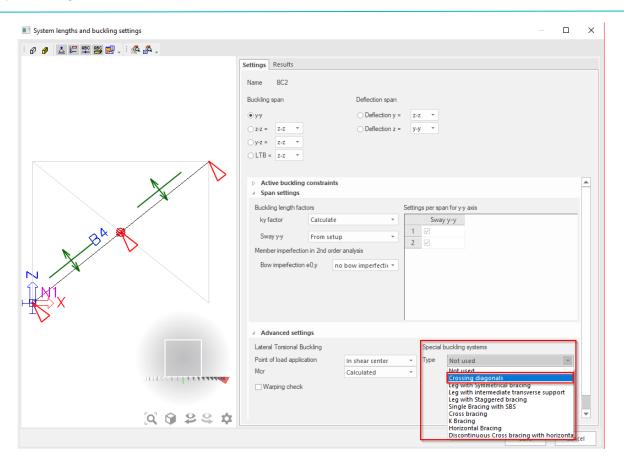
When the option 'Crossing diagonals' is selected, the buckling length perpendicular to the diagonal plane, is calculated according to DIN18800 Teil 2, table 15. This means that the buckling length s_{K} is dependent on the load distribution in the element, and it is not a purely geometrical data.

-			
	1	2	3
1		$s_{\rm K} = l \left[\sqrt{\frac{1 - \frac{3}{4} \frac{Z \cdot l}{N \cdot l_1}}{1 + \frac{l_1 \cdot l^3}{I \cdot l_1^3}}} \right]$ jedoch $s_{\rm K} \ge 0.5 l$	
2	N State N	$s_{\rm K} = l \int \sqrt{\frac{1 + \frac{N_1 \cdot l}{N \cdot l_1}}{1 + \frac{l_1 \cdot l^3}{I \cdot l_1^3}}}$ jedoch $s_{\rm K} \ge 0.5 \ l$	$s_{\rm K,1} = l_1 \int \sqrt{\frac{1 + \frac{N + l_1}{N_1 + l}}{1 + \frac{l + l_1^3}{l_1 + l_1^3}}}$ jedoch $s_{\rm K,1} \ge 0.5 \ l_1$
3	N S S S S S S S S S S S S S S S S S S S	durchlaufender Druckstab $s_{\rm K} = l \sqrt{1 + \frac{\pi^2}{12} \cdot \frac{N_1 \cdot l}{N \cdot l_1}}$	gelenkig angeschlossener Druckstab $\begin{split} s_{\mathrm{K},1} &= 0.5 \ l_1 \\ \text{wenn} \\ (E \cdot I)_d &\geq \frac{N_1 \cdot l^3}{\pi^2 \cdot l_1} \ \left(\frac{\pi^2}{12} + \frac{N \cdot l_1}{N_1 \cdot l}\right) \end{split}$
4	N S N	$s_{\mathbf{K}} = l \sqrt{1 - 0.75 \frac{Z \cdot l}{N \cdot l_1}}$ jedoch $s_{\mathbf{K}} \ge 0.5 l$	
5	N Star I I N I I I I I I I I I I I I I I I I I	$\begin{split} s_{\mathrm{K}} &= 0,5 \ l \\ \text{wenn } \frac{N \cdot l_{1}}{Z \cdot l} \leq 1 \\ \text{oder wenn gilt} \\ (E \cdot l_{1})_{\mathrm{d}} \geq \frac{3 \ Z \cdot l_{1}^{2}}{4 \ \pi^{2}} \left(\frac{N \cdot l_{1}}{Z \cdot l} - 1 \right) \end{split}$	
6	ST THE Z	$s_{\rm K} = l \left(0.75 - 0.25 \left \frac{Z}{N} \right \right)$ jedoch $s_{\rm K} \ge 0.5 l$	$s_{\mathrm{K},1} = l \left(0.75 + 0.25 \ \frac{N_1}{N} \right)$ $N_1 \le N$

۱۸/	ith	
• •	1111	

Sк I buckling length

- member length
- I₁ length of supporting diagonal
- I moment of inertia (in the buckling plane) of the member
- I₁ moment of inertia (in the buckling plane) of the supporting diagonal
- N compression force in member
- N1 compression force in supporting diagonal
- Z tension force in supporting diagonal
- E elastic modulus



Flexural Buckling

The Flexural Buckling Check is executed according to EN 1993-1-3, article 6.2.2 and EN 1993-1-1 article 6.3.1.

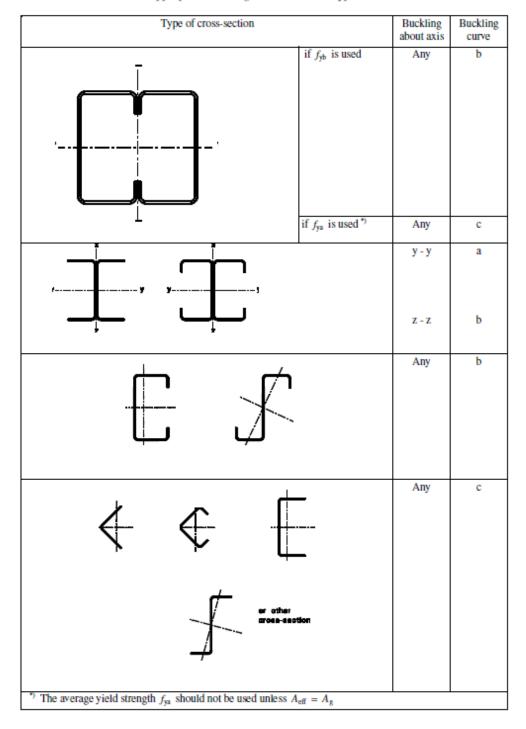


Table 6.3: Appropriate buckling curve for various types of cross-section

This has been implemented in SCIA Engineer as follows:

Form code	Description	about axis	Curve
1	I section	у-у	а
		Z-Z	b
101	Asymmetric I section	у-у	а
		Z-Z	b
114	Cold formed C section	any	b
116	Cold formed C-Section eaves beam	any	b
117	Cold formed C-Plus section	any	b
118	Cold formed ZED section	any	b
119	Cold formed ZED section asymmetric lips	any	b
120	Cold formed ZED section inclined lip	any	b
121	Cold formed Sigma section	any	b
122	Cold formed Sigma section stiffened	any	b
123	Cold formed Sigma-Plus section	any	b
124	Cold formed Sigma section eaves beam	any	b
125	Cold formed Sigma-Plus section eaves beam	any	b
126	Cold formed ZED section both lips inclined	any	b
	2CFCo with a = 0	у-у	а
		z-z	b
	2CFCc with a = 0	Closed section	n rule 6.2.2(3)
	2CFUo with a = 0	у-у	а
		z-z	b
	2CFUc with a = 0	Closed section	n rule 6.2.2(3)
	2CFLT with a = 0	any	с
	Any other section	any	с

All other sections fall in the "other cross-section" case of curve ${\bm c}$ for any axis.

Torsional (-Flexural) Buckling

The Flexural Buckling Check is executed according to EN 1993-1-3, article 6.2.3 and EN 1993-1-1 article 6.3.1.4.

The buckling curve for torsional (-flexural) buckling is taken as the z-z buckling curve according to the table given in Flexural Buckling.

The value of the elastic critical load N_{cr} is taken as the smallest of $N_{cr,T}$ (Torsional buckling) and $N_{cr,T}$ (Torsional-flexural Buckling).

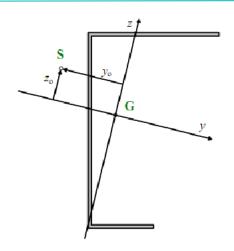
Calculation of N_{cr,T}

The design buckling resistance $N_{b,Rd}$ for torsional or torsional-flexural buckling (according to EC3) shall be obtained using buckling curve b, and with relative slenderness given by :

$$N_{cr,T} = \frac{1}{i_0^2} \left(G I_t + \frac{\pi^2 E I_w}{l_T^2} \right)$$

With

E	Modulus of Young
G	Shear Modulus
lt	Torsion constant
lw	Warping constant
lτ	Buckling length for the torsional buckling mode
\mathbf{y}_0 and \mathbf{z}_0	Coordinates of the shear centre with respect to the centroid
i _y	radius of gyration about the strong axis
İz	radius of gyration about the weak axis



Calculation of Ncr,TF

The elastic critical load $N_{cr,TF}$ for torsional buckling is calculated according to Ref.[3]. $N_{cr,TF}$ is taken as the smallest root of the following cubic equation in N:

$$i_0^2 (N - N_{cr,y}) (N - N_{cr,z}) (N - N_{cr,T}) - N^2 y_0^2 (N - N_{cr,z}) - N^2 z_0^2 (N - N_{cr,y}) = 0$$

With

 $N_{cr,y}$ Critical axial load for flexural buckling around the y-y axis $N_{cr,z}$ Critical axial load for flexural buckling around the z-z axis

 $N_{cr,T}$ Critical axial load for torsional buckling

Lateral Torsional Buckling

The Lateral Torsional Buckling Check is executed according to EN 1993-1-3, article 6.2.4 and EN 1993-1-1 article 6.3.2.2.

For I sections (symmetric and asymmetric), and Rectangular Hollow Sections (RHS), the elastic critical moment for Lateral Torsional Buckling M_{cr} is calculated by the following formula:

$$M_{cr} = C_1 \frac{\pi^2 E I_z}{(k_{LT} \cdot L)^2} \left\{ \sqrt{\left(\frac{k}{k_w}\right)^2 \frac{I_w}{I_z} + \frac{(k_{LT} \cdot L)^2 G I_t}{\pi^2 E I_z} + \left(C_2 z_g - C_3 z_j\right)^2} - \left[C_2 z_g - C_3 z_j\right] \right\}$$

Where

E	the Youn modulus of elasticity (E = 210000 N/mm ² for steel)
G	the shear modulus (G = 80770 N/mm^2 for steel)
$k_{LT} \cdot L$	the lateral torsional buckling length of the beam between points which have lateral restraint (= I_{LTB}).
lw	the warping constant
lt	the torsional constant
lz	the moment of inertia about the minor axis
Z_g	the distance between the point of load application and the shear center
<i>k</i> _w	A factor which refers to end warping. Unless special provision for warming

$$z_j = z_s - 0.5 \int_A (y^2 + z^2) \frac{z}{l_y} dA$$

fixity is made, k_w should be taken as 1,0.

For doubly symmetric cross-sections: $z_i = 0$

 z_s the coordinate of the shear center

C₁, C₂ and C₃ are factors depending on the loading and end restraint conditions.

In SCIA Engineer are different methods implemented for the calculation of those C_1 and C_2 factors. Those methods are explained further in this chapter.

Haunched sections (I+Ivar, Iw+Plvar, Iw+Iwvar, Iw+Ivar, I+Iwvar) and composed rail sections (Iw+rail, Iwn+rail, I+rail, I+2PL+rail, I+PL+rail, I+Ud+rail) are considered as equivalent asymmetric I sections.

The formula for Mcr uses the following parameters:

- C1, C2, C3: calculated according to ENV, ECCS or Lopez
- LTB length: klt*L
- k and kw: factors related to the end fixity
- zg: load position
- zj: asymmetry of the section

General – calculation of C₁, C₂ and C₃ factors

- C1 : takes into account the shape of the moment diagram
- C2 : takes into account the position of the loading
- C3 : takes into account the asymmetry of the cross section

The coefficients **C1**, **C2** and **C3** can be calculated in SCIA Engineer according to three different methods:

- o ENV 1993-1-1 Annex F
- o ECCS 119/Galea
- o Lopez, Young, Serna

By default the method according to ECCS 119/Galea is applied. The following paragraphs give more information on these methods.

The user can choose between those 3 methods in "Steel -> Beams -> Steel setup":

·· EC-EN	Name	EC-EN				
🖮 Steel	4 Steel					
···· Member check ···· Relative deformation	4 Member check	EN 199	93-1-1			
- Fire resistance	Classification	EN 199	93-1-1: 5.2.2			
Buckling defaults	Shear	EN 199	93-1-1: 6.2.6			
Limit slenderness Cold Formed	▷ Torsion	EN 199	93-1-1: 6.2.7			
 Plated structural elements 	Default sway types	EN 1993-1-1: 6.3.1				
Autodesign	Buckling length ratios ky, kz	EN 1993-1-1: 6.3.1				
	4 Lateral Torsional Buckling	EN 199	93-1-1: 6.3.2			
	Lateral torsional buckling curves	Genera	al case			
	Method for C1 C2 C3	ECCS 1	119/Galea			
	Method for k _o		993-1-1 Annex F			
	General settings		19/Galea Yong, Serna			
	Prive resistance	EN 195	B 1 2			
	Cold Formed	EN 199	93-1-3			
	Plated structural elements	EN 199	93-1-5			
	Limit slenderness	EN 503	341-1			
	Buckling defaults					
	Relative deformation					
	Autodesign					
	Reference: EN 1993-1-1 article 6.3.2.2 (2) Description: Setting for selecting the calculation met	hod of the C1 C2 C3 co	efficients.			
	Application: Used in the determination of Mcr, the el - ENV 1993-1-1 Annex F: A tabulated method where t - ECCS 119/Galea: A graphical method which accour - Lopez, Yong, Serna: A closed-form formula for C1 w	astic critical moment fo he actual moment diag its for interaction betwe	or lateral torsional buckling. Iram is compared to standard diagrams. een transverse loading and end moment			

ENV 1993-1-1 Annex F

When this setting is chosen, the moment factors are determined according to ENV 1993-1-1 Annex F Ref.[5].

For determining the moment factors (EN 1993-1-1: C1, C2 and C3) for lateral torsional buckling (LTB), we use the standard tables.

The current moment distribution is compared with some standard moment distributions. This standard moment distributions are moment lines generated by a distributed q load, a nodal F load, or where the moment line reach a maximum at the start or at the end of the beam.

The standard moment distributions which is closest to the current moment distribution, is taken for the calculation of the factors C1, C2 and C3.

ECCS 119/Galea

When this setting is chosen, the moment factors are determined according to ECCS 119 Annex B Ref.[34].

The figures given in this reference for C1 and C2 in case of combined loading originate from Ref.[28] which in fact also gives the tabulated values of those figures as well as an extended range.

The actual moment distribution is compared with several standard moment distributions. These standard moment distributions are moment lines generated by a distributed q load, a nodal F load, or where the moment line is maximum at the start or at the end of the beam.

The standard moment distribution which is closest to the actual moment distribution, is taken for the calculation of the factors C_1 and C_2 .

Galea gives results only for C1 and C2 factors.

 C_3 is taken from ECCS 119 Annex B tables 63 and 64. The C_3 is determined based on the case of which the C_1 value most closely matches the table value.

Lopez, Yong, Serna

When this method is chosen, the moment factors are determined according to Lopez, Yong, Serna Ref[35].

When using this method the coefficient C_2 and C_3 are set to zero.

The coefficient C_1 is calculated as follows:

$$C_{1} = \frac{\sqrt{\sqrt{k}A_{1} + \left[\frac{(1-\sqrt{k})}{2}A_{2}\right]^{2} + \frac{(1-\sqrt{k})}{2}A_{2}}}{A_{1}}$$

Where:

$$k = \sqrt{k_1 k_2}$$

$$A_1 = \frac{M_{max}^2 + \alpha_1 M_1^2 + \alpha_2 M_2^2 + \alpha_3 M_3^2 + \alpha_4 M_4^2 + \alpha_5 M_5^2}{(1 + \alpha_1 + \alpha_2 + \alpha_3 + \alpha_4 + \alpha_5) M_{max}^2}$$

$$A_2 = \left| \frac{M_1 + 2M_2 + 3M_3 + 4M_4 + 5M_5}{9M_{max}} \right|$$

$$\alpha_1 = 1 - k_2$$

$$\alpha_2 = 5 \frac{k_1^3}{k_2^2}$$

$$\alpha_3 = 5 \left(\frac{1}{k_1} + \frac{1}{k_2} \right)$$

$$\alpha_4 = 5 \frac{k_2^3}{k_1^2}$$

$$\alpha_1 = 1 - k_1$$

$$\downarrow \frac{1/4}{4} \downarrow \frac{$$

With:

!

- Mmax

k 1	Taken equal to k _w
k 2	Taken equal to k _w
M1, M2, M3, M4, M5	The moments M_y determined on the buckling system in the given sections as shown on the above figure. These moments are determined by dividing the beam into 10 parts (11 sections) and interpolating between these sections.
M _{max}	The maximal moment My along the LTB system.

 M_{2}

Mmax=M5

L/4

This method is only supported in case both k and k_w equal 0.50 or 1.00.

In below an example in SCIA Engineer in which the three methods are calculated. In the steel setup the chosen calculation method for the C factors has been changed. In below an overview of the results for those factors for the three methods:

Mcr parameters		Mcr parameters		Mcr parameters	
LTB length L	12,000	LTB length L	12,000	LTB length L	12,000
Influence of load position	stabilising	Influence of load position	stabilising	Influence of load position	stabilising
Correction factor k	1,00	Correction factor k	1,00	Correction factor k	1,00
Correction factor kw	1,00	Correction factor kw	1,00	Correction factor kw	1,00
LTB moment factor C1	1,89	LTB moment factor C1	1,26	LTB moment factor C1	1,20
LTB moment factor C2	0,33	LTB moment factor C2	0,45	LTB moment factor C2	0,00
LTB moment factor C3	2,64	LTB moment factor C3	0,41	LTB moment factor C3	0,00
Shear center distance d,z	0,00	Shear center distance d,z	0,00	Shear center distance d,z	0,00
Distance of load application z,g	-245,00	Distance of load application z,g	-245,00	Distance of load application z,g	-245,00
Mono-symmetry constant beta,y	0,00	Mono-symmetry constant beta,y	0,00	Mono-symmetry constant beta,y	0,00
Mono-symmetry constant z,j	0,00	Mono-symmetry constant z,j	0,00	Mono-symmetry constant z,i	0,00

There can be a big difference between the three calculation models.

In the method following "Lopez, Yong, Serna" the values for C2 and C3 are always taken equal to zero. When comparing the C1 factors, the method following "ECCS 119/Galea" and "Lopez, Yong, Serna" are approximately the same (1.26 and 1.20 respectively), but the C1 factor following the "ENV 1993-1-1 Annex F" results in total different value: 1.89.

For the other supported sections, the elastic critical moment for LTB Mcr is given by

$$Mcr = \frac{\pi^2 EI_z}{L^2} \sqrt{\frac{Iw}{I_z} + \frac{L^2 GI_t}{\pi^2 EI_z}}$$

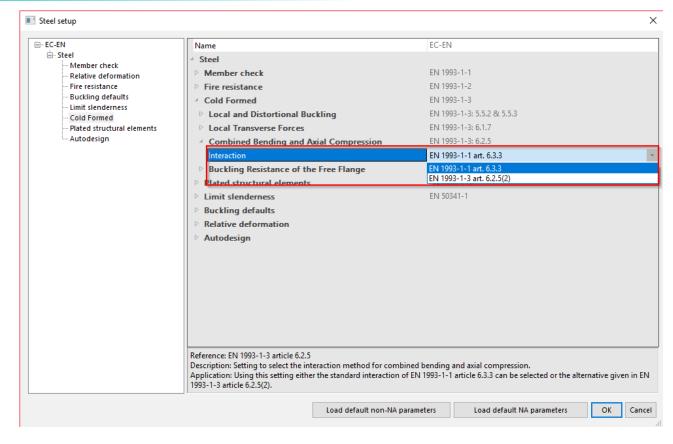
with	E	the modulus of elasticity
	G	the shear modulus
	L	the length of the beam between points which have lateral restraint (= $I_{\mbox{\scriptsize LTB}})$
	lw	the warping constant
	lt	the torsional constant
	lz	the moment of inertia about the minor axis

Bending and axial compression

For determining the Combined Bending and Axial Compression Check is executed according to EN 1993-1-3, **article 6.2.5.** EN 1993-1-3 allows two possibilities:

- Use the EN 1993-1-1 interaction according to article 6.3.3.
- Use the alternative according to EN 1993-1-3 article 6.2.5(2).

The choice between these two methods is set in "Steel > Beams > Steel Setup":



EN 1993-1-3 formula (**6.36**) includes the strong axis bending resistance $M_{b,Rd}$. There is however no indication for a weak axis bending moment. Therefore, in case a weak axis bending moment is present, this interaction cannot be applied and the general interaction according to EN 1993-1-1 is applied.

For interaction described in EN 1993-1-1 article 6.3, two methods can be chosen following Annex A or Annex B of the EN 1993-1-1. In the National annex is described for each country which one should be used. This can also be defined in SCIA Engineer:

Steel setup		
EC-EN	Name	EC-EN
- Steel	4 Steel	
	Member check	EN 1993-1-1
Cold Formed	4 Bow Imperfections	EN 1993-1-1: 5.3.2(3) b)
Plated structural elements	Elastic analysis e0/L	
	Plastic analysis e0/L	
	Member Imperfection	EN 1993-1-1: 5.3.4(3)
	Partial Safety Factors	EN 1993-1-1: 6.1(1)
	LTB Curves - General Case	EN 1993-1-1: 6.3.2.2
	LTB Curves - Rolled/Equivalent welded Case	EN 1993-1-1: 6.3.2.3(1)
	Interaction Method	EN 1993-1-1: 6.3.3(5)
	Values	Annex A (alternative method 1)
	Fire resistance	EN 1993-1-2
	Cold Formed	EN 1993-1-3
	Plated structural elements	EN 1993-1-5
		Load default NA parameters OK Cancel

Bending and axial tension

The Combined Bending and Tension Check is executed according to EN 1993-1-3, article 6.3.

The code specifies that the same equations as for compression should be used. These interaction equations are however not fully valid in case of tension.

The purpose of the interaction check for bending and tension is to check the stresses at the compression fiber. In the AISI NAS 2007 Ref [4] code the formula given in **article C5** can be rewritten using EC-EN notations as follows:

$$\frac{M_{y,Ed}}{M_{b,y,Rd}} + \frac{M_{z,Ed}}{M_{c,z,Rd,com}} - \frac{N_{Ed}}{N_{t,Rd}} \le 1$$

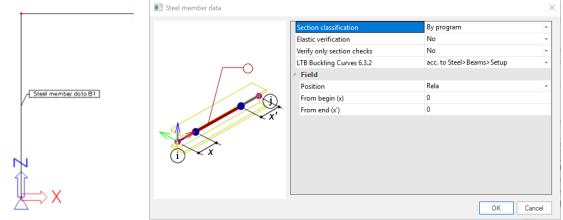
With

 $\begin{array}{ll} M_{b,y,Rd} & \mbox{The Lateral Torsional Buckling resistance} \\ M_{c,z,Rd,com} & \mbox{The moment resistance for the compression fiber in case of } M_z. \\ N_{t,Rd} & \mbox{The Tension Resistance} \end{array}$

Additional data

Steel Member data

The default values used in the Setup menu can be overruled for a specific member using Member Data.



Section classification

For the selected members, the section classification generated by the program, will be overruled by this user settings. This has only effect when the introduced classification is supported.

Elastic check only

The selected members will be classified as class 3 (EL-EL). It means no class 1, class 2 and slender section support.

Section check only

For the selected members, only section check is performed. Cfr. the 'exact method' for DIN18800.

LTB Buckling Curves 6.3.2

For the selected members, the "general case" or the "rolled section/equivalent welded" is used for the LTB buckling curves.

Field

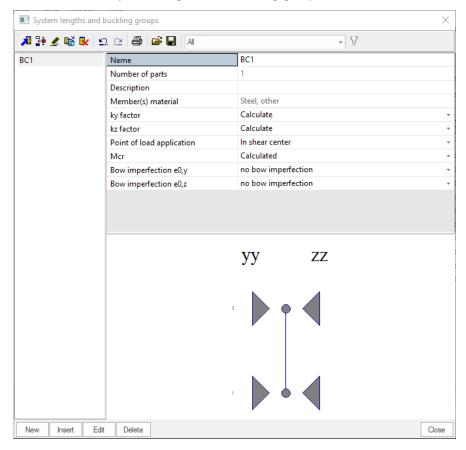
Only the internal forces inside the field are considered during the steel code check.

System lengths and buckling groups

System lengths and buckling groups is a library dialog in which all the defined buckling groups (BG's) are gathered. It gives the user an overview of all the buckling groups and allows editing of the buckling settings defined in the buckling groups.

It can be accessed either:

- via 'Libraries' > 'Structure, analysis' > 'System lengths and buckling groups'
- via 'Steel' > 'Beams' > 'System lengths and buckling groups'

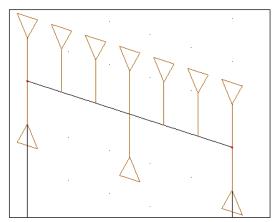


On the left part a list is presented of the defined buckling groups within the project. The list allows multi selection which enables the user to modify common settings at once in that dialog. On the right side of the dialog the user can find the base settings of the selected buckling group(s). These items can be edited.

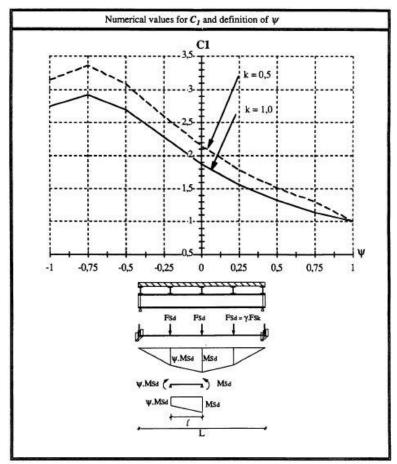
At the bottom of the dialog buttons are available for the user which allow editing the content of the list. With the option 'New' the user creates a new buckling group at the bottom of the list, with 'Insert' inserts a new buckling group under the current selected buckling group or with 'Edit' edits the currently selected buckling group in the dialog <u>"System lengths and buckling settings"</u>. It is possible to delete the currently selected buckling group(s).

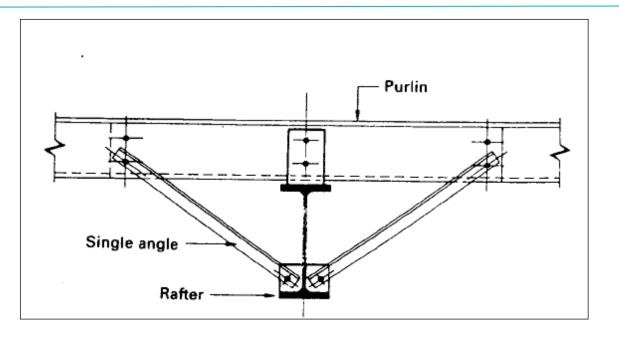
Since SCIA Engineer 18.0 a new dialog is introduced for applying buckling settings on a specific buckling system called **System lengths and buckling settings**. The buckling related settings that are configured in System lengths and buckling settings are saved into a buckling group (BG) which is listed in the <u>"System lengths and buckling groups"</u> dialog.

LTB Restraints



The default LTB data are overruled by the LTB restraints. Fixed LTB restraints are defined on the top flange or on the bottom flange. The LTB lengths for the compressed flange are taken as distance between these restraints. The LTB moments factors are calculated between these restraints.





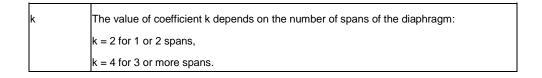
> Example WS CFS 04.esa

Consider beam B1	Lateral Torsional Buckling Check
Inputted section:	According to article EN 1993-1-3: 6.2.4 According to article EN 1993-1-1: 6.3.2 and formula (6.55)
LTB length = 4,0 m	LTB Parameters
	Method for LTB Curve art. 6.3.2.2
	Werr,y 1,9067e-05 m ³ Elastic critical moment Mcr 1,57 kNm
C1 = 1.13	Relative slenderness Ave.LT 1,69
C2= 0.45	Limit slenderness ArelLT,0 0,40
C3 = 0.53	
00 - 0.00	
	LTB Parameters LTB curve b
Mcr = 1,57 kNm	Imperfection aLT 0,34
	Reduction factor XLT 0,28
	Buckling resistance Mb,Rd 1,26 kNm
	Unity check 1,59 -
	M _{er} Parameters
	LTB length 4,000 m
	k 1,00 kw 1,00
	C ₁ 1,13
	C2 0,45
	C3 0,53 Influence of load position no influence
	Note: C Parameters according to ECCS 119 2006 / Galea 2002
	The member does NOT satisfy the stability check!
Consider beam B2	Laboral Territorial Buddies Charle
Consider beam B2	Lateral Torsional Buckling Check According to article EN 1993-1-3: 6.2.4
Inputted section:	According to article EN 1993-1-1:6.3.2 and formula (6.55)
ITD longth 1 222 m	LTB Parameters Method for LTB Curve art. 6.3.2.2
LTB length = 1,333 m	Werr,y 1,9067e-05 m ³
	Elastic critical moment M _{cr} 10,84 kNm
C1 = 1.02	Relative slenderness Areijum 0,64
C2= 0.05	Limit slenderness λ _{rel,LT,0} 0,40
C3 = 1.00	
0.00 - 1.00	LTB Parameters
	LTB curve b Imperfection aLT 0,34
Mcr = 10,84 kNm	Reduction factor XLT 0,81
	Buckling resistance Mb,Rd 3,65 kNm
	Unity check 0,55 -
	M _{cr} Parameters
	LTB length 1,333 m
	k 1,00 kw 1,00
	C ₁ 1,00
	C2 0,05
	C3 1,00 Influence of load position no influence
1	Note: C Parameters according to ECCS 119 2006 / Galea 2002
	The member satisfies the stability check.

Purlin design

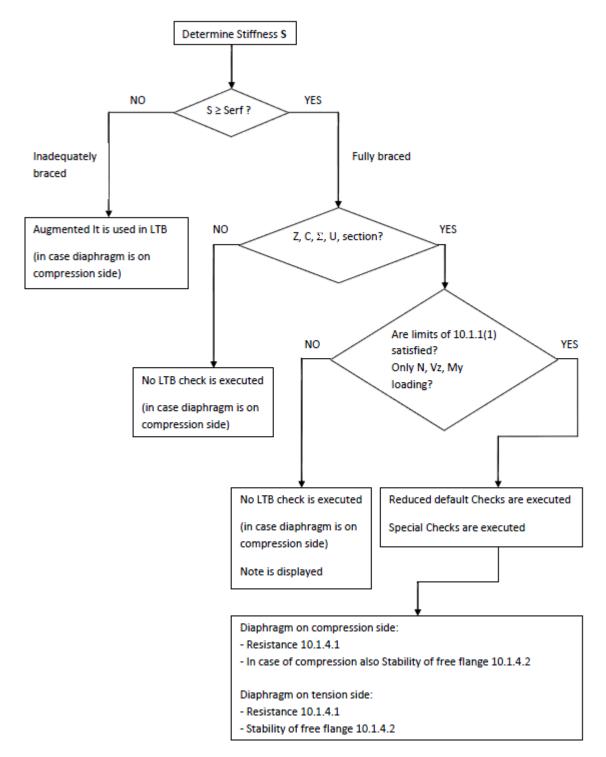
Sheeting			×
\oplus \neg \neg	Name	D1	
	Sheeting LIB	E160/1.50	·
	Position z	+ z	+
	k	1 and 2 spans	-
+z	Sheeting position	Positive	-
	Bolt position	Top flange	-
-z 🕈 👔 🔨 x1 x2	Bolt pitch	br	+
\sim \sim	Lf - frame distance [m]	3,000	
$\frac{br}{2 br}$	Ld - sheeting length [m]	1,000	
	Geometry		
	Coord. definition	Rela	-
	Position x1	0,000	
	Position x2	1,000	
Lf	Origin	From start	+
		C	K Cancel

The settings for the diaphragm (sheeting) are:



Diaphragm position The position of the diaphragm may be either positive or negative. Positive means that the diaphragm is assembled in a way so that the width is greater at the top side. Negative means that the diaphragm is assembled in a way so that the width is greater at the bottom side. Bolt position Bolts may be located either at the top or bottom side of the diaphragm. Bolt position Bolts may be located either at the top or bottom side of the diaphragm. Bolt pitch Bolts may be either: in every rib (i.e. "br"), in each second rib (i.e. "2 br"). Frame distance The distance of frames Length The length of the diaphragm (shear field.) Geometry Value x1 specifies the begin-point of the sheeting on the beam. Position x2 Value x1 specifies the end-point of the sheeting on the beam. Co-ordinate definition Defines the co-ordinate system in which the position x is inputted. Origin Defines the origin from which the position x is measured.	-	
the bottom side. Bolt position Bolts may be located either at the top or bottom side of the diaphragm. Bolt pitch Bolts may be either: in every rib (i.e. "br"), in each second rib (i.e. "2 br"). Frame distance The distance of frames Length The length of the diaphragm (shear field.) Geometry Position x1 Value x1 specifies the begin-point of the sheeting on the beam. Position x2 Value x1 specifies the end-point of the sheeting on the beam. Co-ordinate definition Defines the co-ordinate system in which the position x is inputted.		Positive means that the diaphragm is assembled in a way so that the width is greater at
Bolt pitch Bolts may be either: in every rib (i.e. "br"), in each second rib (i.e. "2 br"). Frame distance Length The length of the diaphragm (shear field.) Geometry Position x1 Value x1 specifies the begin-point of the sheeting on the beam. Position x2 Value x1 specifies the end-point of the sheeting on the beam. Co-ordinate definition Defines the co-ordinate system in which the position x is inputted.		· · · · ·
in every rib (i.e. "br"), in each second rib (i.e. "2 br"). Frame distance Length The distance of frames Length The length of the diaphragm (shear field.) Geometry Position x1 Value x1 specifies the begin-point of the sheeting on the beam. Position x2 Value x1 specifies the end-point of the sheeting on the beam. Co-ordinate definition Defines the co-ordinate system in which the position x is inputted.	Bolt position	Bolts may be located either at the top or bottom side of the diaphragm.
distance International of the diaphragm (shear field.) Length The length of the diaphragm (shear field.) Geometry Position x1 Value x1 specifies the begin-point of the sheeting on the beam. Position x2 Value x1 specifies the end-point of the sheeting on the beam. Co-ordinate definition Defines the co-ordinate system in which the position x is inputted.	Bolt pitch	in every rib (i.e. "br"),
Geometry Position x1 Value x1 specifies the begin-point of the sheeting on the beam. Position x2 Value x1 specifies the end-point of the sheeting on the beam. Co-ordinate definition Defines the co-ordinate system in which the position x is inputted.		The distance of frames
Position x1 Value x1 specifies the begin-point of the sheeting on the beam. Position x2 Value x1 specifies the end-point of the sheeting on the beam. Co-ordinate definition Defines the co-ordinate system in which the position x is inputted.	Length	The length of the diaphragm (shear field.)
Position x2 Value x1 specifies the end-point of the sheeting on the beam. Co-ordinate definition Defines the co-ordinate system in which the position x is inputted.	Geometry	
Co-ordinate definition Defines the co-ordinate system in which the position x is inputted.	Position x1	Value x1 specifies the begin-point of the sheeting on the beam.
definition Defines the co-ordinate system in which the position x is inputted.	Position x2	Value x1 specifies the end-point of the sheeting on the beam.
Origin Defines the origin from which the position x is measured.		Defines the co-ordinate system in which the position x is inputted.
	Origin	Defines the origin from which the position x is measured.

Overview



First of all the lateral stiffness ${\bf S}$ of the diaphragm is determined and compared to the required stiffness ${\bf S}_{\rm erf}.$

The lateral stiffness **S** is calculated according to Ref. [5],**3.5** and Ref. [6] ,**3.3.4**.

$$S = \frac{a \cdot 10^4}{K_1 + \frac{K_2}{L_s}}$$

а

Where

= the frame distance

L_s = the length of the diaphragm

 K_1 = diaphragm factor K_1

K₂ = diaphragm factor K₂

As specified in EN 1993-1-3 article 10.1.1 the shear stiffness S is replaced by 0,2S in case the diaphragm is connected every second rib only.

And the required stiffness S_{erf} is determined according to EN 1993-1-3 article 10.1.1.

$$S_{erf} = \left(E I_w \frac{\pi^2}{L^2} + G I_t + E I_z \frac{\pi^2}{L^2} 0,25 h^2 \right) \frac{70}{h^2}$$

In case S < S_{erf} the member is seen as inadequately braced.

In this case, when the diaphragm is located on the compression side, the Lateral Torsional Buckling check is executed using the augmented torsional stiffness I_t .

$$I_{t,id} = I_t + vorC_\theta \frac{l^2}{\pi^2 G}$$

With:

I The LTB length

G The shear modulus

 $vorhC_{\theta}$ The actual rotational stiffness of diaphragm

In case $S \ge S_{erf}$ the member is seen as fully braced.

In this case, a first test is executed to evaluate if the special purlin checks according to EN 1993-1-3 **Chapter 10** can be applied: this chapter is applied only in case the cross-section concerns a Z, C, Σ or U section.

Note

The code specifies that the chapter is also valid for hat (Omega) sections however in all further paragraphs no specific formulas are given for Omega sections. For example the free flange geometry is described only for *Z*, *C* and Σ sections, not for Omega sections. Therefore Omega sections are not supported for this special chapter in SCIA Engineer.

In case the cross-section **does not match** any of the above, the default checks are executed. Since the member is seen as fully braced, **no Lateral Torsional Buckling check** needs to be executed in case the diaphragm is located on the compression side.

In case the cross-section **does match** the list of set form codes, a second test is executed. More specifically, the special purlin checks according to EN 1993-1-3 **Chapter 10** can be applied only in case:

- The dimensional limits of article 10.1.1(1) are satisfied
- The section is only loaded by N, V_z, M_y (chapter 10 specifies only checks related to in plane effect N, V_z an M_y).

For a section which meet all requirements, the following is done:

- Reduced default Checks are executed i.e. not all default checks will be executed
- Special purlin checks according to Chapter 10

Section Check	Article
Axial tension	6.1.2
Axial compression	6.1.3
Bending moment	6.1.4
Shear force	6.1.5
Torsional moment	NOT
Local Transverse Forces	6.1.7
Combined tension and bending	NOT
Combined compression and bending	NOT
Combined shear, axial force and bending moment	6.1.10
Combined Bending and Local Transverse Force	6.1.11
Stability Check	Article
Flexural buckling only for y-y	6.2.2
Torsional and Torsional-Flexural buckling	NOT
Lateral-Torsional buckling	NOT
Bending and axial compression	NOT
Bending and axial tension	NOT

- ⇒ The Torsional moment check will never occur in this case since the prerequisite is to have only N, V_z, My.
- ⇒ The combined axial and bending checks are not executed since they are replaced by the special purlin checks.
- ⇒ The flexural buckling check is executed for y-y buckling in accordance with EN 1993-1-3 art. **10.1.4.2(2)**.
- ➡ Torsional buckling and Lateral-torsional buckling are prohibited by the fully braced diaphragm. The compression in the free flange is included in the special purlin checks.
- ⇒ The combined stability checks are not executed since they are replaced by the special purlin checks.

Note

In contrast to article 10.1.3.3(2) the Local Transverse Load Check and its interaction with the bending moment is executed even if the support reaction is a tensile force.

Example WS CFS Hall 2.esa

Consider member B112 for load combination ULS

Without the diaphragm the following check will be displayed:

...::STABILITY CHECK::...

Lateral Torsional Buckling Check According to article EN 1993-1-3:6.2.4 According to article EN 1993-1-1:6.3.2 and formula (6.55)

LTB Parameters		
Method for LTB Curve	art. 6.3.2.2	
Werry	4.2159e-05	m ³

LTB Parameters		
Elastic critical moment Mar	2,05	kNm
Relative slenderness λ _{rel,LT}	2,20	
Limit slenderness $\lambda_{rel,LT,0}$	0,40	
LTB curve	b	
Imperfection aLT	0,34	
Reduction factor XLT	0,18	
Buckling resistance Mb,Rd	1,75	kNm
Unity check	4,69	-

M _{er} Parameters		
LTB length	6,000	m
k	1,00	
kw	1,00	
C1	2,51	
C ₂	1,49	
C3	0,41	
Influence of load position	destabilising	

Note: C Parameters according to ECCS 119 2006 / Galea 2002

Bending and Axial Tension Check

According to article EN 1993-1-3:6.3.

Nt,Rd	177,19	kN
Mb,y,Rd	1,75	kNm
Mc,z,Rd,com	1,62	kNm

Unity check: 4,69+0,48-0,02 = 5,16 -

The member does NOT satisfy the stability check!

With the diaphragm, the properties of the diaphragm are given **Diaphragm data**

Table of values					
Actual stiffness S	8603.38	kN			
Required stiffness Serf	785.63	kN			
S >= Serf	Fully Braced				
COMK	5.63	kNm/m			
c0Pk	2.00	kNm/m			
c0Ak	1.10	kNm/m			
c100	2.60	kNm/m			
vorh ck	0.63	kNm/m			

It,id = 9.2720e-10 + 2.8421e-08 = 2.9348e-08 m⁴

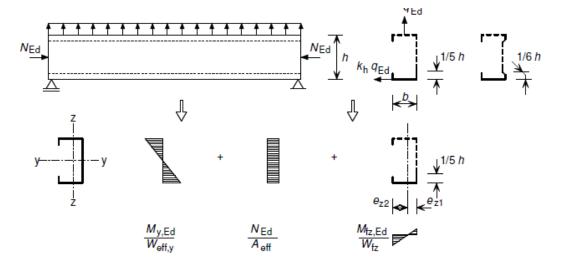
But the limits for the internal forces (only N, V_z and M_y are not fulfilled), so no purlin check will be executed, but also no Lateral Torsional Buckling check is performed:

Bending and According to ar			
Table of valu		<u> </u>	7
Nt,Rd	177.19	kN	1
Mb,y,Rd	9.92	kNm	1
Mc,z,Rd,com	1.62	kNm	7
Unity check: 0 .			1.29 - e stability check

Design resistance

Resistance of cross-sections

The cross section should be verified as indicated below:



So superpose the following forces:

- In-plane bending moment $M_{y,Ed}$
- The axial force *N_{Ed}*
- An equivalent lateral load $q_{h,Ed}$ acting on the free flange, due to torsion an lateral bending

The maximum stresses in the cross-section should satisfy the following:

o Restrained flange

$$\sigma_{max,Ed} = \frac{M_{y,Ed}}{W_{eff,y}} + \frac{N_{Ed}}{A_{eff}} \le f_y / \gamma_M$$

o Free flange

$$\sigma_{max,Ed} = \frac{M_{y,Ed}}{W_{eff,y}} + \frac{N_{Ed}}{A_{eff}} + \frac{M_{fz,Ed}}{W_{fz}} \le f_y / \gamma_M$$

Where:

• W_{fz} is the gross elastic section modulus of the free flange plus the contributing part of the web for bending about the z-z-axis.

- Unless a more sophisticated analysis is carried out the contributing part of the web may be taken equal to 1/5 of the web height from the point of web-flange intersection in case of C-and Z-section and 1/6 if the web height in case of Σsection.
- $M_{fz,Ed}$ is the bending moment in the free flange due to the horizontal load $q_{h,Ed}$: $q_{h,Ed} = k_h q_{Ed}$ (see also figure below) And

$$M_{fz,Ed} = \kappa_R M_{0,fz,Ed}$$

- $M_{0,fz,Ed}$ is the initial lateral bending moment in the free flange without any spring support
- κ_R is a correction factor for the effective spring support and may be determined for the relevant location and boundary condition, using the theory of beams on the elastic Winkler foundation. Table 10.1 from EN 1993-1-3 provides the formulas to determine $M_{0,tz,Ed}$ for

shear centre shea centr e, $ht(b^2)$ $^{2}b/h$ k_{h0} Simple symmetrical Z section Z C or Σ sections a) k_{h0} factor for lateral load on free bottom flange. (k_{h0} corresponds to loading in the shear centre) q_{Ed} Shear Shear centre centre e/h (*) $k_h = k_{h0}$ (***) b) Gravity loading c) Uplift loading Equivalent lateral load factor k_h

specific positions within the beams.

(*) If the shear centre is at the right hand side of the load $q_{\rm Ed}$ then the load is acting in the opposite direction.

(**) If $a/h > k_{h0}$ then the load is acting in the opposite direction.

(***) The value of f is limited to the position of the load q_{Ed} between the edges of the top flange.

Note

In case the free flange is in tension, $M_{fz,Ed}$ is taken equal to zero (see also EN 1993-1-3 article 10.1.4.1(5)).

The lateral spring stiffness K is determined according to En 1993-1-3, article 10.1.5(4).

$$\frac{1}{K} = \frac{4(1-\nu^2)h^2(h_d+b_{mod})}{Et^3} + \frac{h^2}{C_D}$$

Where:

t is the thickness of the purlin

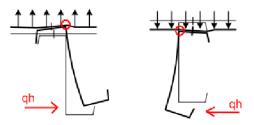
h, a, b, b_{mod}, h_d see figures below

 \mathbf{C}_{D}

is the total rotational spring stiffness and will be taken as **vorhC**. The calculation of this value is also given below.

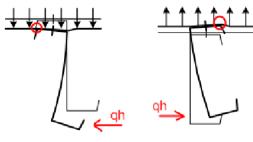
DETERMINATION OF PROPERTIES h, a, b, bmod and hd

If q_h brings the purlin into contact with the sheeting at the purlin web



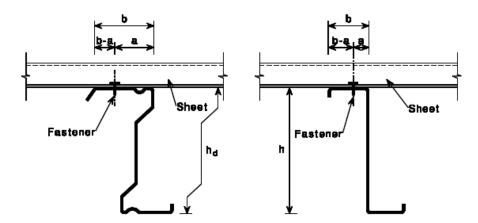
 $b_{mod} = a$

If q_h brings the purlin into contact with the sheeting at the tip of the purlin flange



 $b_{mod} = 2a + b$

Determination of a and b



DETERMINATION OF vorhC:

$I_{t,id} =$	$I_t + \text{vorhC}_{\vartheta} \frac{1^2}{\pi^2}$	G
$\frac{1}{\text{vorh}}$	$\frac{1}{C_{\vartheta}} = \frac{1}{C_{\vartheta M,k}} + \frac{1}{C}$	$\frac{1}{\mathbf{P}_{A,k}} + \frac{1}{\mathbf{C}_{\mathbf{P},k}}$
$C_{\vartheta M,k}$	$= k \frac{EI_{eff}}{s}$	
$C_{\vartheta A,k}$	$= \mathbf{C}_{100} \left[\frac{\mathbf{b}_{a}}{100} \right]^{2}$	if $b_a \leq 125$
$\mathbf{C}_{\vartheta A,k}$	$= 1.25 \cdot C_{100} \left[\frac{b}{10} \right]$	$\begin{bmatrix} a \\ 00 \end{bmatrix}$ if $125 < b_a < 200$
$\mathbf{C}_{\mathfrak{P},k}$	$\approx \frac{3 \cdot \mathbf{E} \cdot \mathbf{I}_{s}}{(h-t)}$	
$I_s = \frac{s}{1}$ With:	$\frac{3}{2}$	
vvitii.	I	the LTB length
	G	the shear modulus
	vorhC	the actual rotational stiffness of diaphragm
	θ	
	C _{0M,k}	the rotational stiffness of the diaphragm
	$C_{\theta A,k}$	the rotational stiffness of the connection between the diaphragm and the beam
	C ₀ P,k	the rotational stiffness due to the distortion of the beam
	k	numerical coefficient
		= 2 for single or two spans of the diaphragm
		= 4 for 3 or more spans of the diaphragm
	El _{eff}	bending stiffness of per unit width of the diaphragm
	S	spacing of the beam
	ba C ₁₀₀	the width of the beam flange (in mm)
	L100 h	rotation coefficient - see table beam height
	t	thickness beam flange
	S	thickness beam web

	ning of eting		Sheet fastened through		Pitch of fasteners		C ₁₀₀	b _{T.max}
Positive	Negative	Trough	Crest	$e = b_{\rm R}$	$e = 2b_{\rm R}$	[mm]	[kNm/m]	[mm]
For gravit	y loading:				3/2 - 11 AC			
×		×		×		22	5,2	40
×		×			×	22	3,1	40
	×		×	×		Ka	10,0	40
	×		×		×	Ka	5,2	40
	х	×		×		22	3,1	120
	×	×			×	22	2,0	120
For uplift	loading:							
х		×		×		16	2,6	40
×		×			×	16	1.7	40
b _T is t	the corrugation the width of t	he sheeting	flange throu	igh which it		Sheet fast		h:
- sheet	in this table fastener scre	ws of diame		= 6,3 mm		- throug	the crest:	
- steel	washers of the	nickness:	t _w	≥ 1,0 m	m:		P.	

In below some values for the rotation coefficient:

Buckling resistance of the Free Flange

If the free flange is in compression, its buckling resistance should be verified, using:

 $\frac{1}{\chi_{LT}} \left(\frac{M_{y,Ed}}{W_{eff,y}} + \frac{\tilde{N}_{Ed}}{W_{fz}} \right) + \frac{M_{fz,Ed}}{W_{fz}} \le f_{yb} / \gamma_{M1}$

And the buckling length will be calculated by: $l_{fz} = \eta_1 L_a (1 + \eta_2 R^{\eta_3})^{\eta_4}$

And η_1 to η_4 are given in the tables below:

Table 10.2a : Coefficients η i f	or down load with 0, 1, 2, 3, 4	anti-sag bars
---	---------------------------------	---------------

	•			-	
Situation	Anti sag-bar	η_1	η_2	η_3	η_4
	Number				
End span	0	0.414	1.72	1.11	-0.178
Intermediate span		0.657	8.17	2.22	-0.107
End span	1	0.515	1.26	0.868	-0.242
Intermediate span		0.596	2.33	1.15	-0.192
End and intermediate span	2	0.596	2.33	1.15	-0.192
End and intermediate span	3 and 4	0.694	5.45	1.27	-0.168

Situation	Anti sag-bar	η_1	η_2	η_3	η_4
	Number				
Simple span	0	0.694	5.45	1.27	-0.168
End span		0.515	1.26	0.868	-0.242
Intermediate span		0.306	0.232	0.742	-0.279
Simple and end spans	1	0.800	6.75	1.49	-0.155
Intermediate span		0.515	1.26	0.868	-0.242
Simple span	2	0.902	8.55	2.18	-0.111
End and intermediate spans		0.800	6.75	1.49	-0.155
Simple and end spans	3 and 4	0.902	8.55	2.18	-0.111
Intermediate span		0.800	6.75	1.49	-0.155

Table 10.2b : Coefficients η_i for uplift load with 0, 1, 2, 3, 4 anti-sag bars

If the compression over the length L is almost constant, due to the application of **relatively large axial force**, the buckling length should be determined using the values of η_i for the case shown as "more than three anti-sag bars per span", but the actual spacing L_a.

"The relatively large axial force" is specified in SCIA Engineer as follows:

$$if \ \frac{N_{Ed}}{A_{eff} * f_{yb}/\gamma_{M1}} \ge Limit \Longrightarrow Large \ axial \ force$$

$$if \ \frac{N_{Ed}}{A_{eff} * f_{yb}/\gamma_{M1}} < Limit => Small \ axial \ force$$

Default this limit value is set on 1 in SCIA Engineer, but this can be changed in the Steel Setup:

 Steel Member check Relative deformation Fire resistance Buckling defaults Limit slenderness Cold Formed Plated structural elements Autodesign Local and Distortional Buckling Use manufacturer provide effective section p Stiffener iterations Overall Cross-section iteration Local Transverse Forces Ignore check Bearing length S_s [mm] Use I_a correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force Plated structural elements 	 ✓ yes ✓ yes EN 1993-1-3: 6.1.7 no 10 ✓ yes EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3 		
 Relative deformation Fire resistance Buckling defaults Limit slenderness Cold Formed Plated structural elements Autodesign Local and Distortional Buckling Use manufacturer provided effective section p Stiffener iterations Overall Cross-section iteration Local Transverse Forces Ignore check Bearing length S_s [mm] Use I_a correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force 	EN 1993-1-2 EN 1993-1-3 EN 1993-1-3 EN 1993-1-3: 5.5.2 & 5.5.3 y yes y yes EN 1993-1-3: 6.1.7 EN 1993-1-3: 6.1.7 0 0 0 y yes EN 1993-1-3: 6.2.5 EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3		
 Buckling defaults Limit slenderness Cold Formed Plated structural elements Autodesign Local and Distortional Buckling Use manufacturer provided effective section p Stiffener iterations Overall Cross-section iteration Local Transverse Forces Ignore check Bearing length S_s [mm] Use I_a correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force 	EN 1993-1-3 EN 1993-1-3: 5.5.2 & 5.5.3 F no System EN 1993-1-3: 6.1.7 System EN 1993-1-3: 6.1.7 no 10 Vyes EN 1993-1-3: 6.2.5 EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3		
 Limit slenderness Cold Formed Plated structural elements Autodesign Local and Distortional Buckling Use manufacturer provided effective section p Stiffener iterations Overall Cross-section iteration Local Transverse Forces Ignore check Bearing length S_s [mm] Use I_a correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force 	EN 1993-1-3: 5.5.2 & 5.5.3 m. vestimation of the second		
Cold Formed Plated structural elements Autodesign Local and Distortional Buckling Use manufacturer provided effective section p Stiffener iterations Overall Cross-section iteration Local Transverse Forces Ignore check Bearing length S _s [mm] Use I _a correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force	ir □ no ✓ yes ✓ yes EN 1993-1-3: 6.1.7 □ no 10 ✓ yes EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3		
Autodesign Stiffener iterations Overall Cross-section iteration Local Transverse Forces Ignore check Bearing length S _s [mm] Use I _s correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force	 ✓ yes ✓ yes EN 1993-1-3: 6.1.7 no 10 ✓ yes EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3 		
Overall Cross-section iterations Overall Cross-section iteration Local Transverse Forces Ignore check Bearing length S _p [mm] Use I _a correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force	 yes EN 1993-1-3: 6.1.7 no 10 yes EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3 		
 Local Transverse Forces Ignore check Bearing length S_s [mm] Use I_a correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force 	EN 1993-1-3: 6.1.7 no 10 yes EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3		
Ignore check Bearing length S _s [mm] Use I _a correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force	□ no 10 ☑ yes s EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3		
Bearing length S _s [mm] Use I _s correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force	10 ✓ yes s EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3		
Use I _a correction in (6.18) Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force	 ✓ yes s EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3 		
 Combined Bending and Axial Compress Interaction Buckling Resistance of the Free Flange Limit for large axial force 	s EN 1993-1-3: 6.2.5 EN 1993-1-1 art. 6.3.3		
Interaction	EN 1993-1-1 art. 6.3.3		
 Buckling Resistance of the Free Flange Limit for large axial force 			
Limit for large axial force			
	EN 1993-1-3: 10.1.4.2		
Plated structural elements	0.1		
	EN 1993-1-5		
Limit slenderness	EN 50341-1		
Buckling defaults			
Relative deformation			
Autodesign			
Load default non-NA parameters	Load default NA parameters	OK	Can

Consider member B2 - section First the properties of the diaphragm are given. **Sheeting data**

Parameters		
Actual stiffness S	8603,38	kN
Required stiffness Ser	649,96	kN
$S \ge S_{eff}$	Fully Braced	
Сам,к	5,63	kNm/m
Cap,k	5,56	kNm/m
Caa,k	2,50	kNm/m
C100	10,00	_kNm/m
vorhC ₈	1,32	kNm/m

 $I_{t,id} = 1,3008e-09+5,9618e-08=6,0919e-08m^4$

The condition to perform a purlin check are fulfilled (only N, V_z and M_y) The critical check is on position 3.000 m

Internal forces	Calculated	Additional moments	Total	Unit
N,Ed	-20,00		-20,00	kN
Vy,Ed	0,00		0,00	kN
Vz,Ed	0,75		0,75	kN
T,Ed	0,00		0,00	kNm
My,Ed	2,25	0,00	2,25	kNm
Mz,Ed	0,00	-0,03	-0,03	kNm

Below the default section check, the check on the **beam restrained by sheeting – resistance of cross-section** is given:

Beam restrained by sheeting - Resistance of cross-section

According to article EN 1993-1-3: 10.1.4.1 and formula (10.3a), (10.3b).

Equivalent Lateral Load			
Vertical load qEd	-1.00	kN/m	
kh0	-0.00		
e	19	mm	
h	150	mm	
kh	0.13		
Lateral load qh,Ed	0.13	kN/m	

Lateral Bending Moment Boundary Conditions Hinged-Hinged Mfz,Ed 0.00 kNm

Lateral spring stiffness		
а	25	mm
b	50	mm
hd	150	mm
bmod	25	mm
CD	1.32	kNm/m
Lateral stiffness K	46.70	kN/m ²
Ifz	5.8294e-08	m⁴
La	6.000	m
R	50.76	

180e-04 m ²
834e-05 m ³
834e-05 m ³
462e-06 m ³
0

Unity check (10.3b) (-0.36) + 0.16 + 0.00 = 0.20 -

The check on the **Buckling resistance of the free flange** is not performed for beam B2. $\frac{N_{Ed}}{A_{eff}*f_{yb}/\gamma_{M1}} < Limit = 0,1 \text{ so the check does not have to be executed:}$

For beam B1, the normal force has been increased and $\frac{N_{Ed}}{A_{eff}*_{\gamma_{M1}}} \ge Limit = 0.1$

⇒ check on the purlin for the buckling resistance of the free flange will be displayed:

Beam restrained by sheeting - Buckling Resistance of free flange

According to article EN 1993-1-3: 10.1.4.2 Table 10.2a and formula (10.7). According to article EN 1993-1-1: 6.3.2.3.

Buckling length			
La	6.000	m	
R	50.76		
Eta 1	0.69		
Eta 2	5.45		
Eta 3	1.27		
Eta 4	-0.17		
Buckling length Ifz	1.355	m	
ifz	1.7467e-02	m	
Reduced slenderness Lambda,fz	0.83		

Reduction factor		
Limit slenderness Lambda,LT,0	0.40	
LTB curve	b	
Imperfection Alpha,LT	0.34	
Reduction factor Chi,LT	0.80	
Unity check	0.05	-

Note: The buckling length of the free flange is determined according to article 10.1.4.2(5) due to a "relatively large axial force".

The member satisfies the stability check.

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